



The Economic Impact and Value of Aviation Infrastructure

Mark Hansen

Aviation Economics Short Course

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Motivation

- Continuing pressure to justify investments in R&D and public aviation capital
- Peripheral involvement in some of these episodes
- What do we really know?



Questions

- What is the value of our aviation infrastructure?
- Do current studies correctly represent that value?
- What does the aviation infrastructure do that's worth doing?



Outline

- Economic Impact Studies
- Aviation Infrastructure and Economic Growth
- Economic Benefits of Aviation Infrastructure Investment

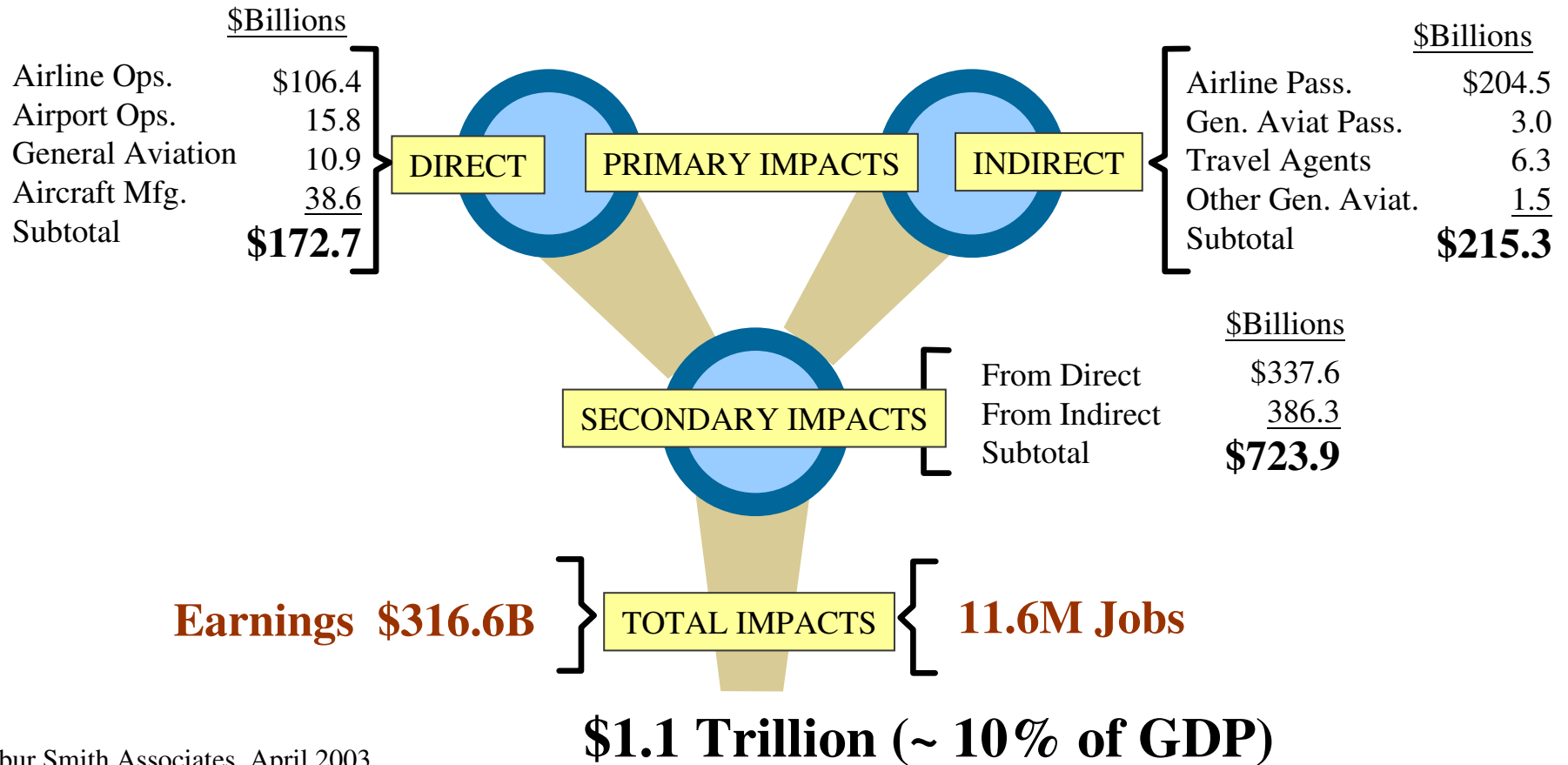


Economic Impact Studies

- Recent examples
- Thought experiments
- Conclusions



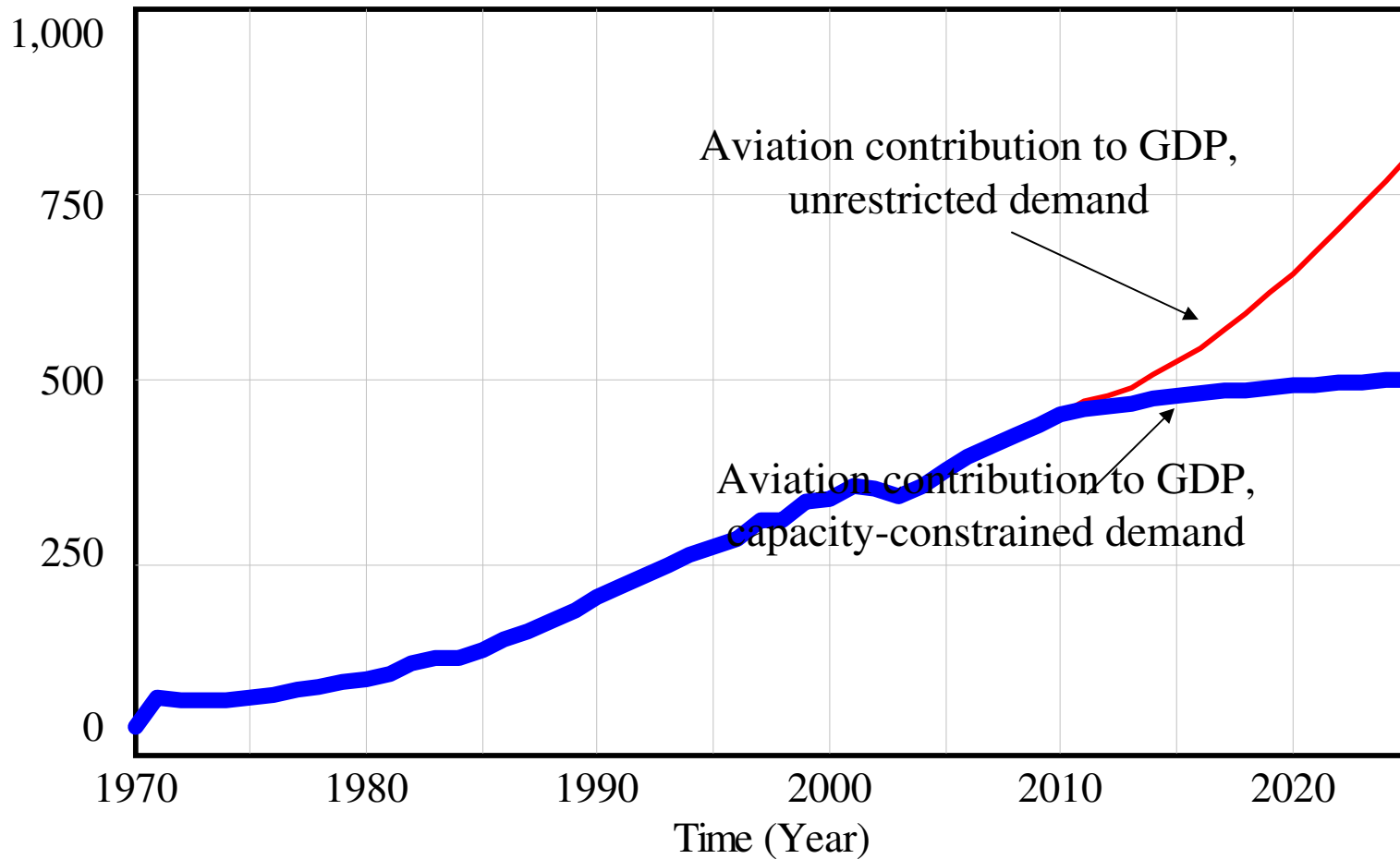
Aviation's Economic Impact





Price-rise scenario: GDP

Aviation Contribution to GDP





Aviation Economic Impact (Wilbur Smith Version)

- Primary Direct Impacts: Activity of firms providing aviation services, such as airlines, FBO's, aircraft manufacturers, flight schools, ATC, etc.
- Primary Indirect Impacts: Activity of firms serving aviation visitors
- Secondary Impacts
 - Intermediate: Activity of suppliers to firms providing aviation services or serving aviation visitors
 - Activity generated by households who derive income from the primary and secondary impacts



Activities (WS Version)

- Spending (Economic Activity)
 - Total expenditures by all economic units
 - Same \$ counted multiple times: for example
pax → airline → manufacturer
- Earnings
 - Personal income generated
 - Not subject to double counting
 - Comparable to GDP
- Jobs



Aviation Economic Impact (DRI-McGraw Hill Version)

- **Direct goods and services provided by the civil aviation industry such as:**
 - *Scheduled and unscheduled commercial passenger and cargo operations, and general aviation (including business aviation and air taxi) operations*
 - *Manufacturing, servicing, and support including pilot and maintenance technician training*
 - *Services carried out at airports and flying fields, including maintenance and storage of aircraft, handling of air cargo and passengers, and air traffic control. Also included are all other government operations related to civil aviation.*
- **Indirect goods and services bought from the rest of the economy by the civil aviation industry**
- **Induced goods and services, which include:**
 - *Those purchased from the income provided to employees in the direct and indirect provision of goods and service*
 - *Direct (from the industry itself), indirect (from supporting industries) and induced impacts (from the spending of income generated) of industries for which air transportation provides an enabling function (e.g., travel and tourism and, broadly, economic development)*



Economic Multipliers

The multiplier concept provides an excellent method of summarizing economic impacts. It is an effective way of relating one impact analysis to another.

The **production multiplier** is straightforward, and there is little controversy concerning its magnitude. For most industries, the **indirect impact** is generally about the same as the **direct impact**, giving a **production multiplier**—the ratio of the combined direct and indirect impacts to the direct impact alone $[(\text{Direct} + \text{Indirect})/\text{Direct}]$ —of about 2.0. However, both the aviation and tourism industries are characterized by high labor costs. As a result, the direct impact is higher than for most other industries, which reduces the production multiplier for civil aviation to 1.7 in this study.

The **income multiplier** is more controversial. It was once thought that the **induced impact** was about the same size, or even larger than, the combined direct and indirect impacts. The relation of these concepts is summarized in the **income multiplier**—the ratio of the combined direct, indirect, and induced impacts to the combined direct and indirect impacts $[(\text{Direct} + \text{Indirect} + \text{Induced})/(\text{Direct} + \text{Indirect})]$. Economists once thought that the income multiplier was limited only by savings and imports. This was one of the important results of Keynesian economics for public policy.

More recently, economists have recognized that supply-side limitations are more important. Thus, income multipliers, thought to be close to 2.0 or even higher in the past, have been found to be considerably lower. The DRI•WEFA U.S. macro model indicates an income multiplier of 1.5 for this industry.

As a result, the combined multipliers for this study give $1.5 \times 1.7 = 2.6$ rather than close to 4.0 found in other studies. Brief descriptions of the models and methodology are provided in **Appendix A**



GDP Impacts of Aviation Final Demand: A Thought Experiment

- ❑ A family spends \$2500 on a trip to Disney world.
- ❑ That \$2500 includes
 - ❑ \$1000 for the air fare
 - ❑ \$1500 for hotel, restaurants, rental car, park admission, etc.



How would this Impact on Impact?

	Spending	Earnings/Jobs
Primary Direct	Expenditures of airlines and other aviation firms resulting from \$1000 payment	Earnings/jobs of airline and aviation firm employees and owners resulting from \$1000 payment
Primary Indirect	Expenditures of hotels, restaurants, etc resulting from \$1500 payment	Earnings/jobs of hotel and restaurant employees and owners resulting from \$1500 payment
Secondary Intermediate	Expenditures of industries supporting airlines, hotels, etc resulting from primary expenditures	Earning/jobs of employees and owners of supporting industries resulting from primary expenditure
Secondary Induced	Increased household consumption of those gaining income from primary and secondary impacts	Personal earnings/jobs throughout economy resulting household consumption of those gaining income from primary and secondary impacts.



What is the Counterfactual?

- ❑ To define impact we must compare two alternative scenarios
- ❑ What is the alternative scenario in the previous example?
 - ❑ The household does not make the trip
 - ❑ The money spent on the trip is hidden under the mattress



More Realistic Counterfactuals

- ❑ Some of the \$2500 is spent on other consumption (also generates spending, earnings, and jobs)
- ❑ Some of the \$2500 is invested (also generates spending, earnings, and jobs)
- ❑ Lacking the need for the \$2500, the household works less (thus generating less spending, earnings, and jobs)
- ❑ Some of the time spent for the trip is used to work (thus generating more spending, earnings, and jobs)



GDP Implications of Counterfactual Scenario

- ❑ $GDP = \text{Consumption} + \text{Investment} + \text{Gvt. Expenditures} + \text{Exports} - \text{Imports}$
- ❑ Under unchanged earnings scenario
 - ❑ Consumption+Investment unchanged
 - ❑ Imports may increase or decrease
 - ❑ Induced consumption will increase or decrease
- ❑ Under changed earnings scenarios
 - ❑ Consumption+Investment may either increase or decrease
 - ❑ Imports may increase or decrease
 - ❑ Induced consumption will increase or decrease



Conclusion

The family trip to Disneyland has no clear implication for aggregate economic activity in terms of spending, earnings, jobs, or GDP.



Business Trips

- ❑ GDP includes sum of value added of production units in the economy
- ❑ If a \$2500 business trip occurs
 - ❑ Total direct and indirect value-added of firms providing travel and their suppliers will increase \$2500
 - ❑ Purchases of intermediate goods by traveler's firm will increase at least \$2500, reducing the value-added of the firm by \$2500
 - ❑ If trip is successful, \$2500 purchase will be more than counteracted by benefits (such as increased sales) resulting in net increase in value-added
 - ❑ But value-added of competing firms may decrease



Conclusion

The family trip to Disneyland has no clear implication for aggregate economic activity in terms of spending, earnings, jobs, or GDP.



Outline

- ❑ Economic Impact Studies
- ❑ Aviation Infrastructure and Economic Growth
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Growth Theory

- ❑ Why does the GDP grow?
- ❑ Classic formulation:
 - ❑ Actual GDP depends upon
 - ❑ Productive capacity (Potential GDP)
 - ❑ Demand
 - ❑ If demand < potential GDP
 - ❑ Recession
 - ❑ Labor and capital underutilized
 - ❑ Fiscal policies to encourage growth in demand
 - ❑ If demand > potential GDP
 - ❑ Demand temporarily satisfied by “overproduction”
 - ❑ Inflation
 - ❑ Fiscal policies focus on keeping demand close to potential GDP in short run
 - ❑ Productivity growth and increases in available inputs allow potential GDP to increase in long run



Aviation Economic Impact Studies Revisited

- ❑ Impact studies focus on the demand side of GDP
- ❑ If impacts were real, they have little policy significance
 - ❑ Impacts of policies would be long term
 - ❑ Demand-side issues are short term
- ❑ The real question is: how do aviation infrastructure investments affect productive capacity of the economy?



Aviation and the Growth of Potential GDP: Two Perspectives

- Aviation as an input to production
- Aviation as a stimulus to innovation



Aviation as an Input to Production

- ❑ Aviation Infrastructure as social overhead (public) capital
- ❑ Studies examine relationship between GDP (output) and inputs including
 - ❑ Labor
 - ❑ Private capital
 - ❑ Public capital



Aviation Infrastructure as Production Input

“The ultimate aim as a means of communication must be to reduce not the costs of transport, but the cost of production.” Jules Dupuit, “On the Measurement of Utility in Public Works,” 1844



GDP Production Function

$$Y = A \cdot F(K_P, K_G, L) = AK_P^\alpha K_G^\beta L^\gamma$$

Where:

Y is GDP

K_P is private capital

K_G is public capital

L is labor



Aschauer Analysis

- ❑ Time series analysis of post-War US data
- ❑ Effect of public capital found to be very strong
- ❑ \$1 of public capital yields \$.60 of increased GDP
- ❑ Implied underinvestment in public infrastructure
- ❑ Spawned much controversy and subsequent analysis
- ❑ See FHWA web site for summary



Issues

- Are statistical results realistic?
- What is the direction of causality?
- Public investment as a stimulus for private investment.
- Heterogeneity of public capital
 - Different infrastructures
 - Good investments and bad investments
 - No studies specifically look at aviation infrastructure



Aviation-Focused Production Function Study (Gillen and Hansen, 1994)

- ❑ Used aviation activity variables (passengers and freight enplaned) in state-level production functions
- ❑ Found that, all else equal, states with more aviation activity have higher output
- ❑ Freight effect is stronger and more statistically significant than passenger effect



Aviation as an Impetus to Investment (Hansen, 1991)

- ❑ Examined relationship between foreign direct investment in the United States and the initiation of international air service
- ❑ Found evidence that foreign direct investment increases after initiation of air service to the investor country



Aviation as a Stimulus to Innovation

- ❑ Initial impact of improvements is to do old things better
- ❑ Ultimate value rests on combining improved transport with other things
 - ❑ Do old things in new ways
 - ❑ Do new things
- ❑ These “companion innovations” by users of transportation systems drive growth and economic benefit



Examples

- ❑ Bi-coastal households and extended families
- ❑ Theme parks with nation/international market areas
- ❑ One-day meeting
- ❑ International corporations
- ❑ Organ donor networks



Technological Life Cycle

- ❑ System goes through processes of birth, growth, and maturity
- ❑ Predominant technology and initial uses of system established during birth phase
- ❑ Growth phase features rapid increases in traffic and scaling up of system, accompanied by continued discovery of new uses
- ❑ Maturity phase features slowing traffic growth
 - ❑ Uses fully explored and diffused throughout society (stable demand curve)
 - ❑ Scale and structure makes meaningful innovation and performance improvement difficult (stable supply curve)



Logistic Curve (S-Curve) (see Grubler, The Rise and Fall of Infrastructures)

- ❑ Relates life-cycle to long term evolution of traffic and other system status variables
- ❑ Growth in traffic proportional to product of existing traffic and potential additional traffic:

$$\frac{dX}{dt} = \frac{\alpha}{K} X(K - X)$$

- ❑ Solution is Lotka equation: $X = \frac{K}{1 + \exp(-\alpha(t - t_0))}$
- ❑ Interpretation
 - ❑ K is saturation traffic level
 - ❑ t_0 is time when traffic reaches half of K



Applications to Air Transport

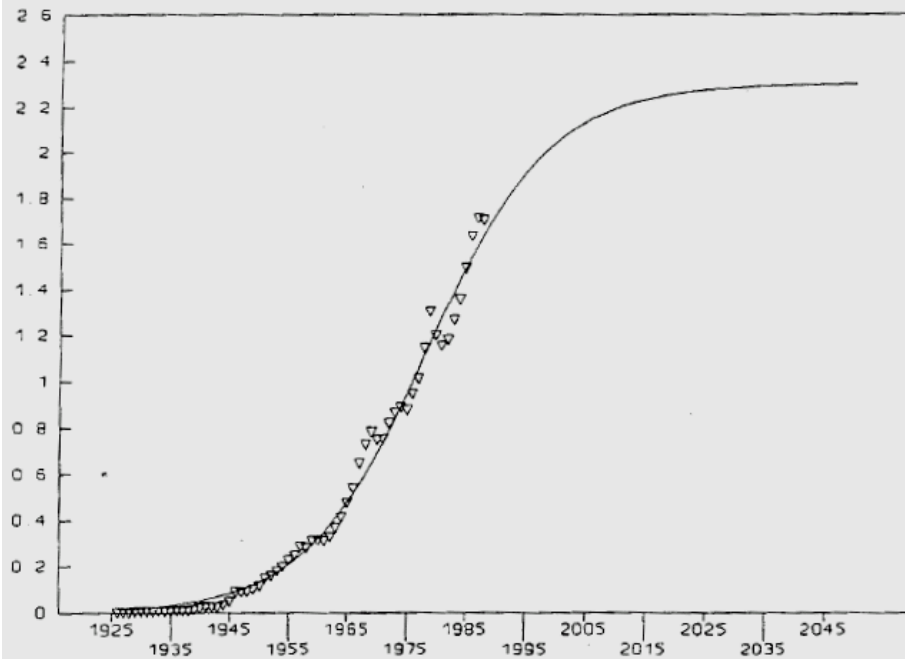


Fig. 1. Enplanements per capita, 1926-1988, as part of a single S-curve.

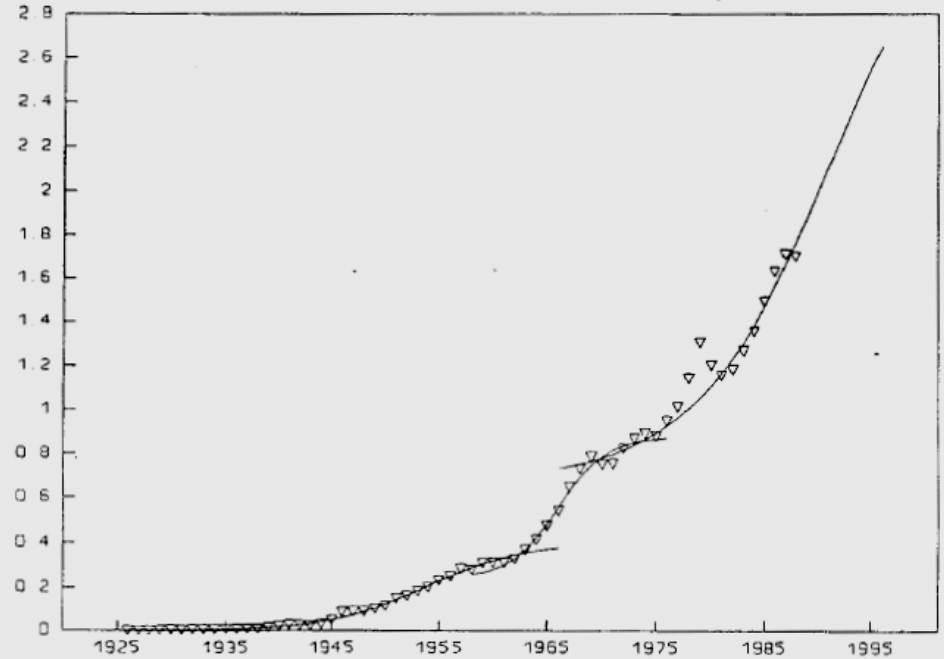


Fig. 3. Enplanements per capita, 1926-1988, as three S-curves.



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Willingness-to-Pay

- ❑ Fundamental concept in assessing benefits
- ❑ Net benefit of an infrastructure investment is (arguably) positive if:

$$\sum_{\text{everyone}} WTP > 0$$

- ❑ In this case can find way to distribute benefits so that everyone is better off
- ❑ Premise for benefit-cost analysis



Issues with CBA/WTP

- ❑ Some WTP's may be negative
- ❑ WTP not equal to what is paid
- ❑ Thus projects with net benefit can be costly or harmful to some
- ❑ Best viewed as a “constitutional principle” that everyone accepts knowing that, over many projects, they will come out ahead



WTP, Utility, and Demand

- ❑ Consumers and firms acquire goods and services, mostly through purchase
- ❑ Derive benefit, welfare, utility ... from these goods and services
- ❑ Have preferences among different “bundles” of goods and services



Trends in Personal Consumption

No. 1433. Personal Consumption Expenditures, by Type: 1929 to 1997

Year	Total ¹	Food and tobacco	Clothing ²	Personal care	Housing	Household operation	Medical care	Personal business	Transportation	Recreation
1929	77.5	21.2	11.2	1.1	11.7	10.7	3.1	3.9	7.7	4.4
1933	45.9	12.8	5.4	0.7	8.1	6.4	2.1	2.5	4.0	2.2
1935	55.9	17.6	7.0	0.8	7.9	7.7	2.4	2.8	5.4	2.6
1940	71.2	22.0	8.9	1.0	9.7	10.4	3.2	3.2	7.2	3.8
1945	119.9	43.5	19.6	2.0	12.8	15.5	5.2	4.2	6.8	6.2
1950	192.7	58.1	23.7	2.4	21.7	29.1	9.4	6.6	25.4	11.2
1955	259.1	73.6	28.4	3.7	34.4	37.3	14.2	10.1	34.9	14.6
1960	332.2	89.2	32.7	5.6	48.2	46.7	22.1	14.6	42.9	18.5
1965	444.3	108.8	41.4	8.1	65.4	62.1	34.1	20.9	59.1	26.8
1970	648.1	154.6	57.6	11.8	94.0	84.8	60.0	32.0	81.1	43.1
1975	1,029.1	238.2	85.6	16.7	147.0	135.4	107.9	53.0	130.2	70.5
1980	1,760.4	376.2	132.3	26.6	255.2	232.6	206.4	101.2	238.4	116.3
1985	2,704.8	497.3	188.3	39.1	407.1	342.0	366.7	182.6	372.8	185.9
1990	3,839.3	672.5	262.7	57.3	586.3	436.2	615.6	290.1	463.3	281.6
1995	4,953.9	780.4	321.8	71.8	750.4	559.4	875.0	388.8	574.1	404.2
1997	5,493.7	832.3	353.3	79.4	829.8	620.7	957.3	459.1	636.4	462.9
PERCENT DISTRIBUTION										
1929	100.0	27.4	14.5	1.4	15.1	13.8	4.0	5.0	9.9	5.7
1950	100.0	30.2	12.3	1.2	11.3	15.1	4.9	3.4	13.2	5.8
1970	100.0	23.9	8.9	1.8	14.5	13.1	9.3	4.9	12.5	6.7
1990	100.0	17.5	6.8	1.5	15.3	11.4	16.0	7.6	12.1	7.3
1997	100.0	15.2	6.4	1.4	15.1	11.3	17.4	8.4	11.6	8.4

¹ Includes other categories, not shown separately. ² Includes accessories, and jewelry.

Source: U.S. Bureau of Economic Analysis, *National Income and Product Accounts of the United States, 1929-94: Vol. 1*; and *Survey of Current Business*, August 1998.



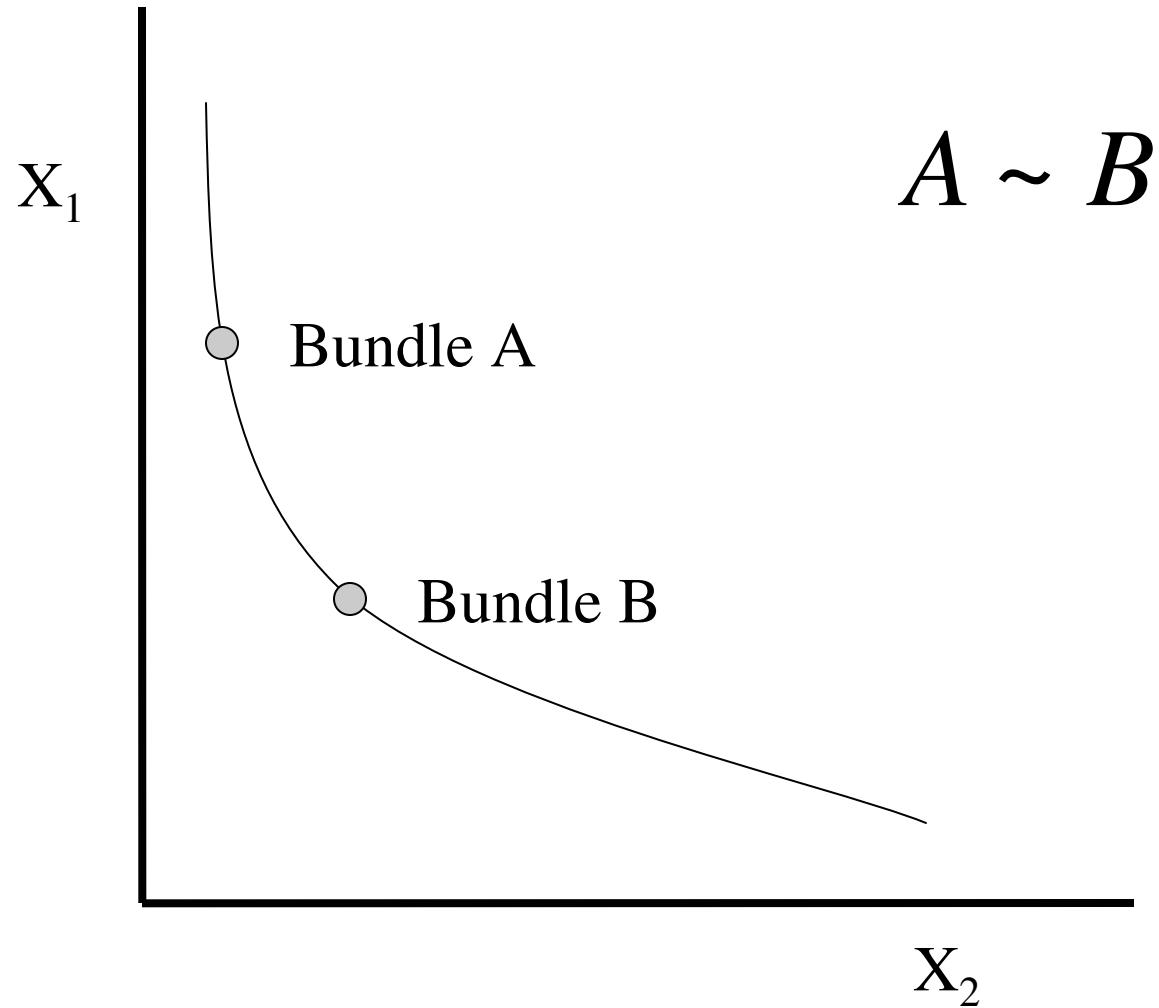
The 2-Good Case

- ❑ Assume 2 goods
 - ❑ One specific good that is of interest (air transport)
 - ❑ One composite good that stands for all others
 - ❑ Utility function becomes

$$U = U(X_1, X_2)$$

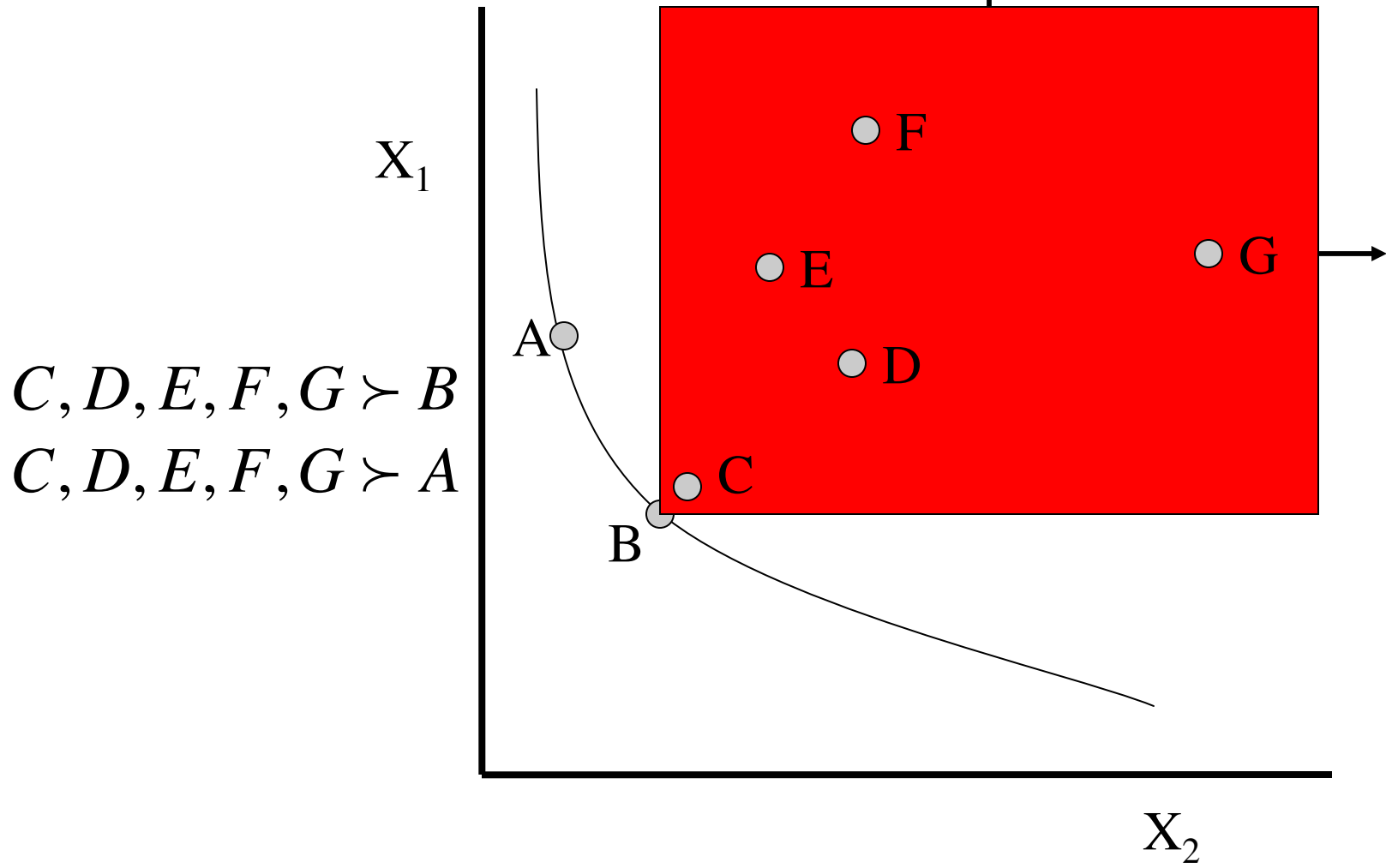


Indifference Curves





Non-Satiation: More is Preferred to Less





Indifference Curve Map

$A \sim B$

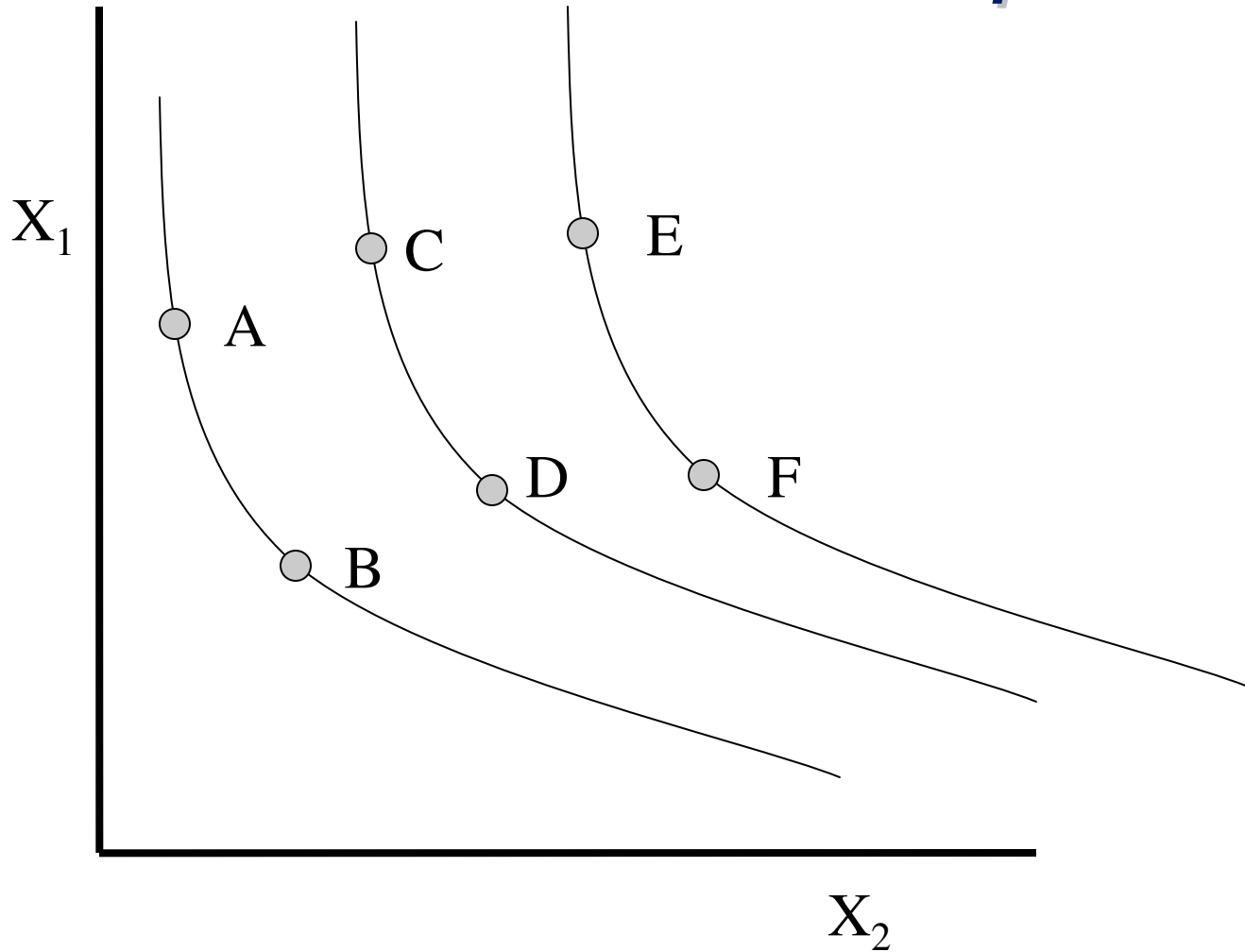
$C \sim D$

$E \sim F$

$C \succ B$

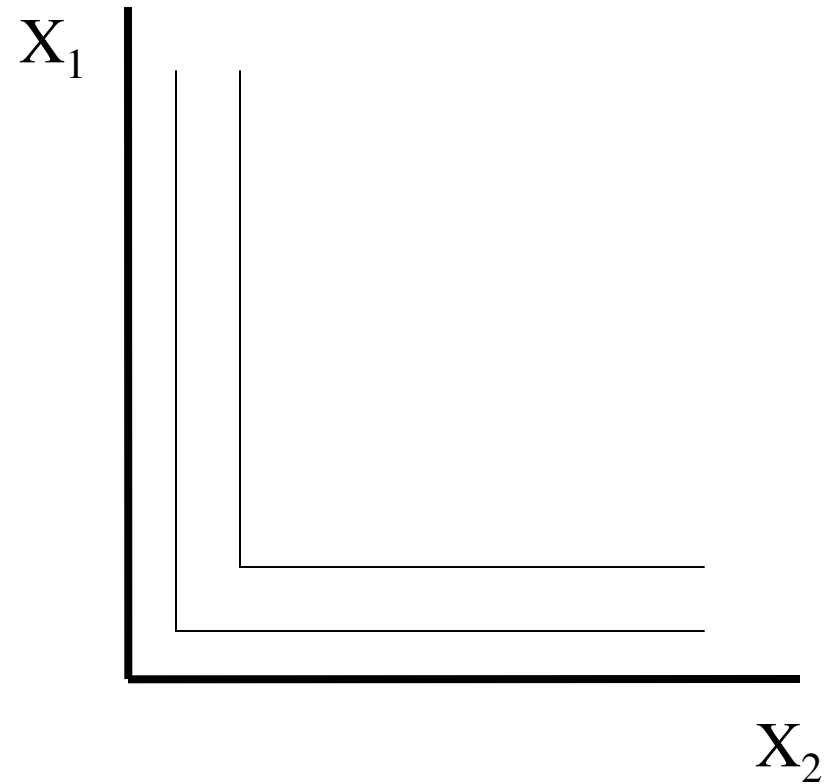
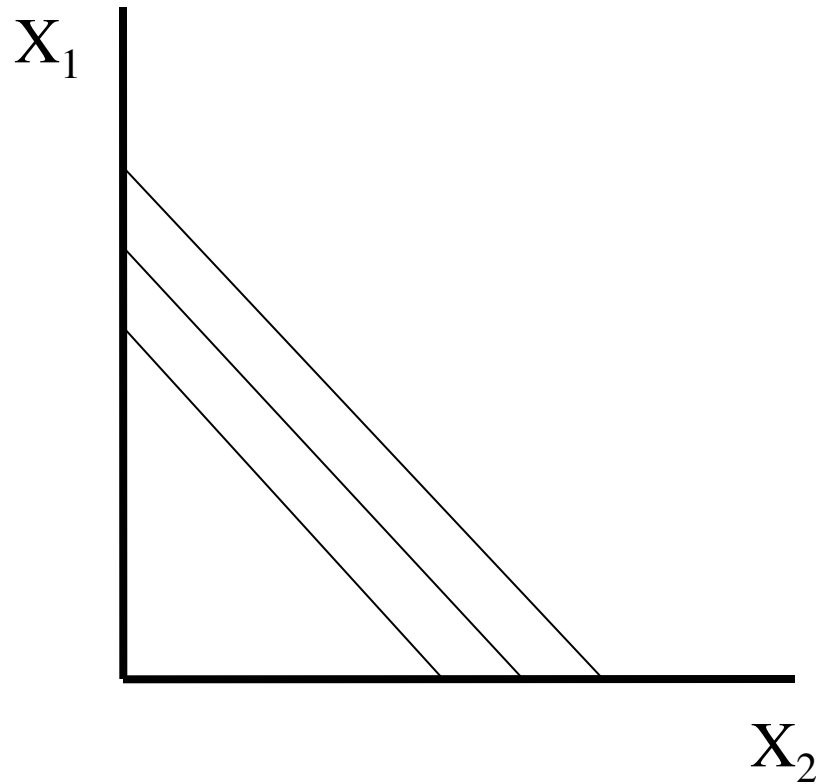
$F \succ C$

⋮



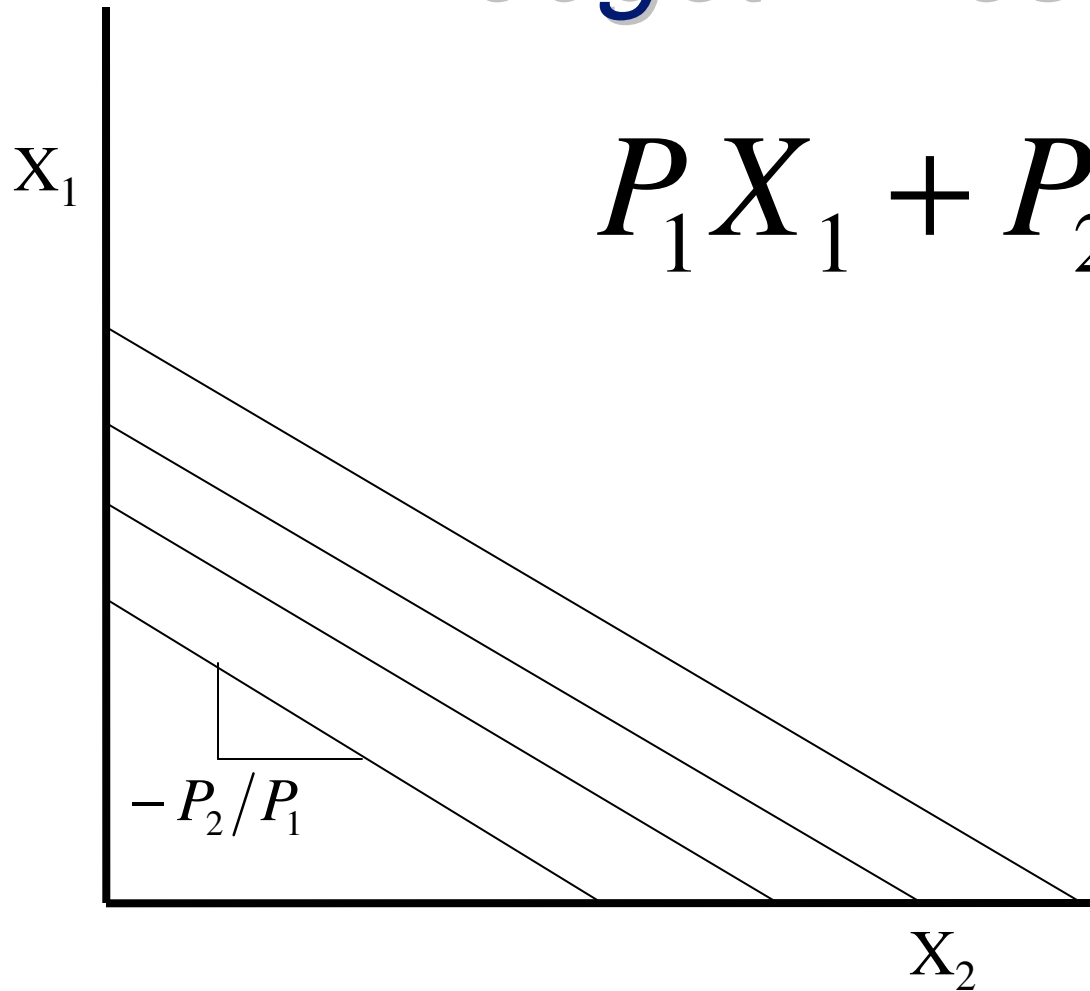


Perfect Substitutes and Complements



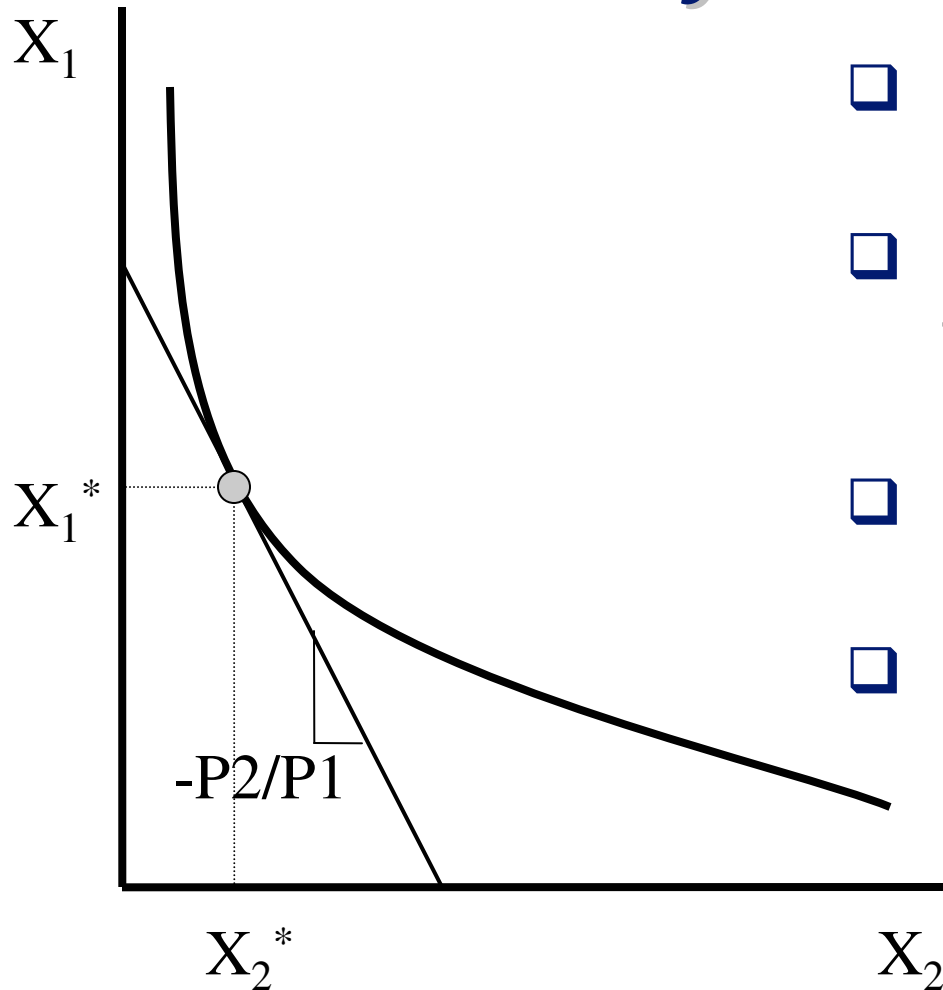


Budget Lines





Utility Maximization

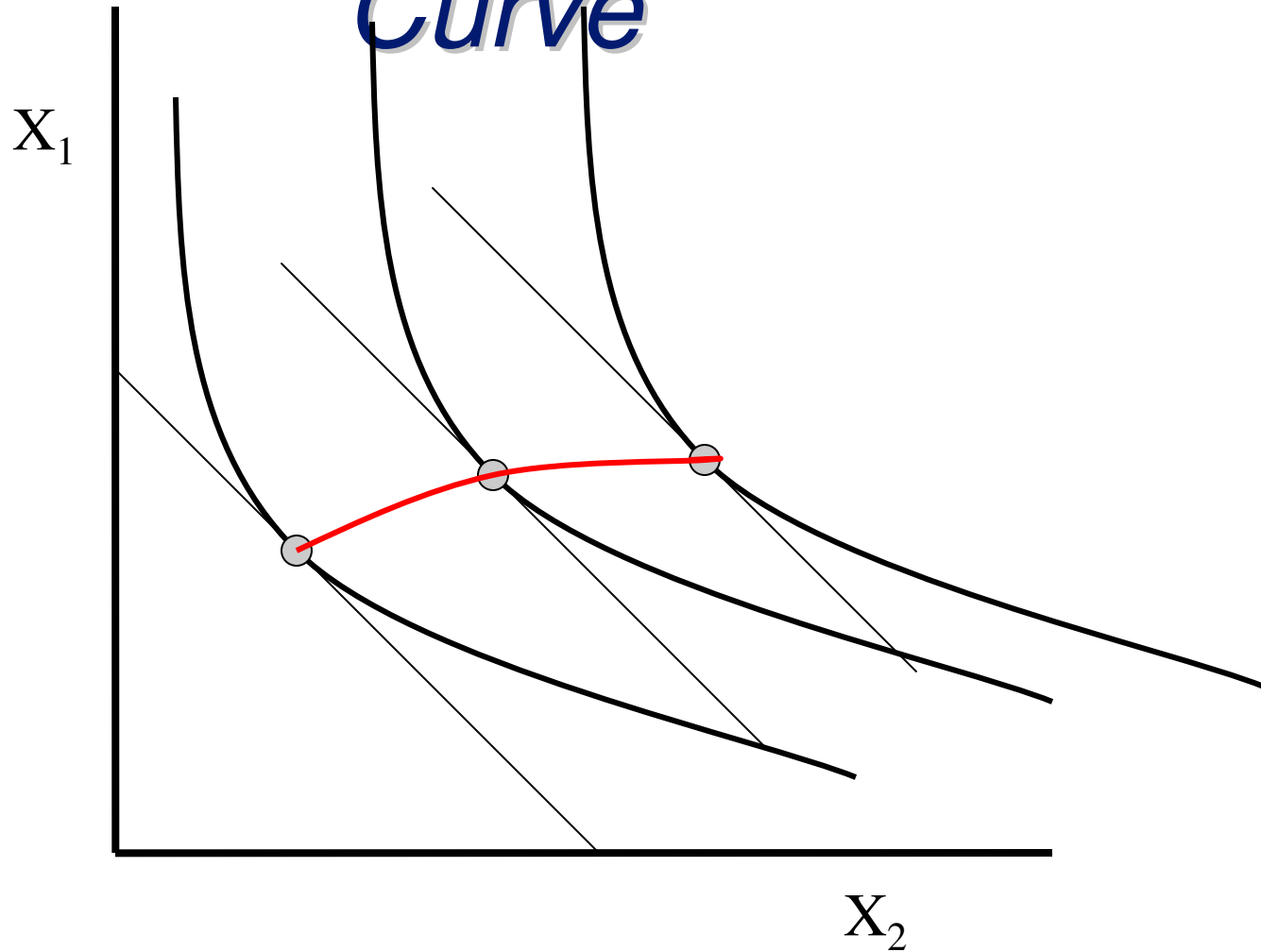


- ❑ Maximize utility subject to a budget constraint
- ❑ Interior solution is point of tangency between budget line and indifference curve
- ❑ Corner solution if there is no such point for $X_1, X_2 > 0$
- ❑ Solution is unique if indifference curves are convex



Income Effect--The Engel

Curve



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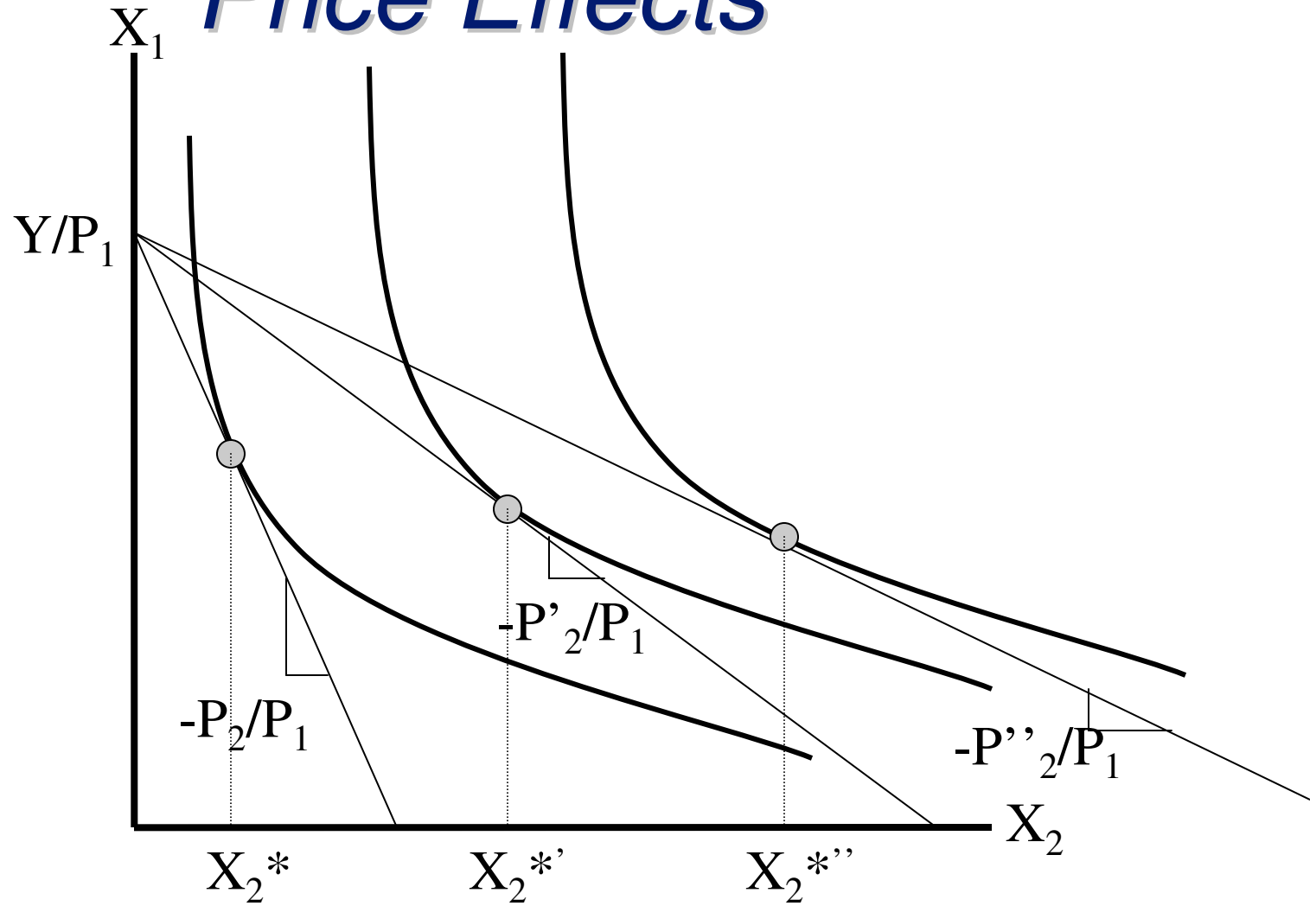


Normal and Inferior Goods

- ❑ Normal Good--As income (budget) increases, utility maximizing amount increases
- ❑ Inferior Good--As income (budget) increases, utility maximizing amount decreases
- ❑ Luxury Good—Consumes larger share of budget as income increases

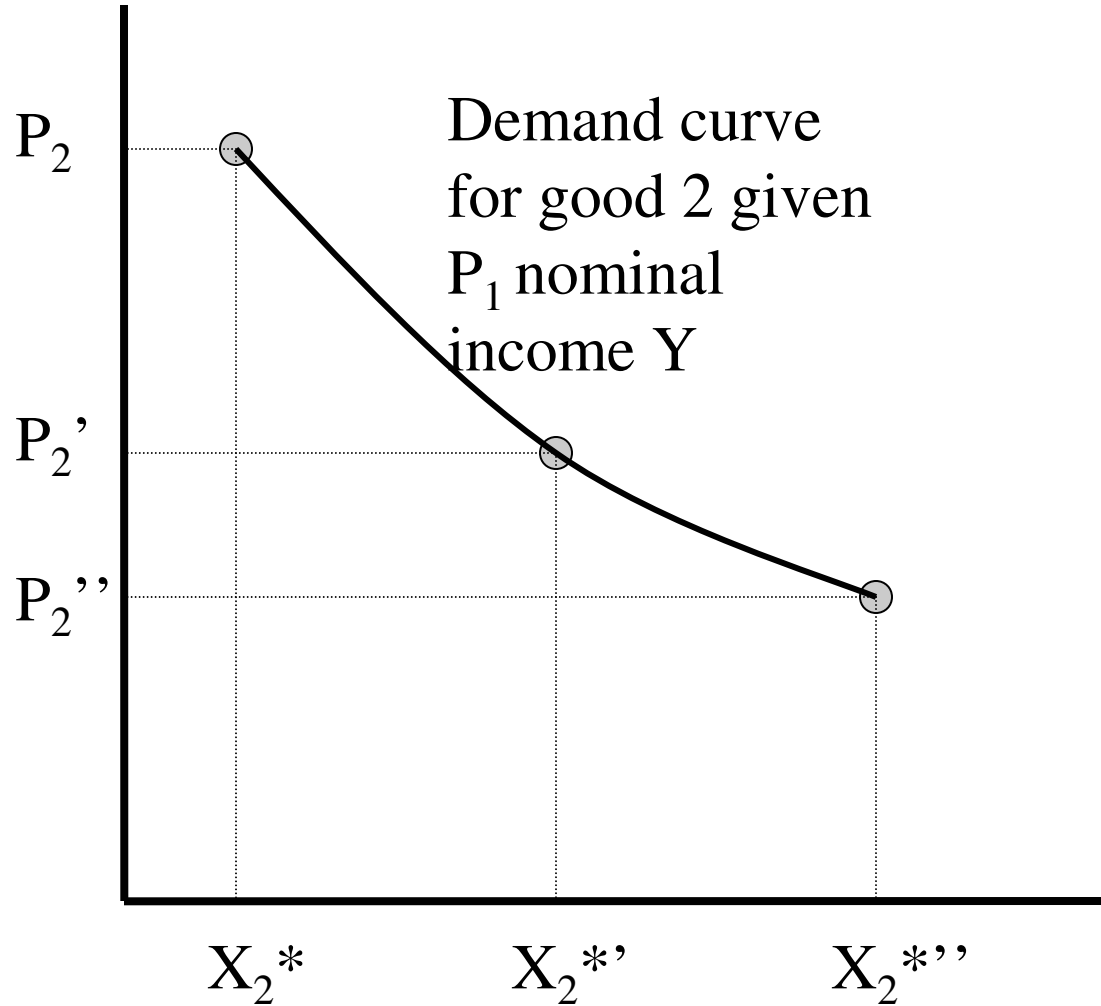


Price Effects



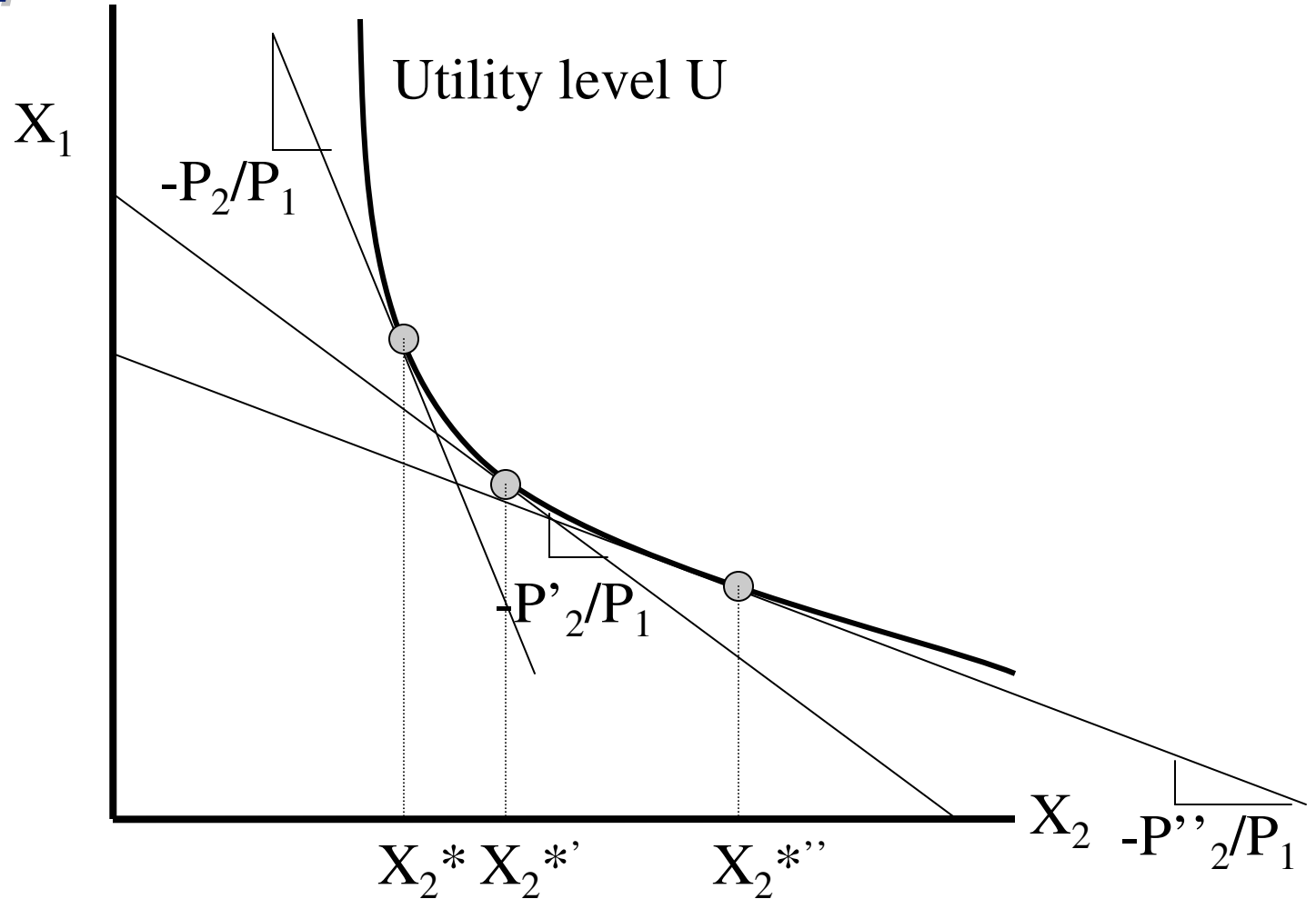


Demand Curve



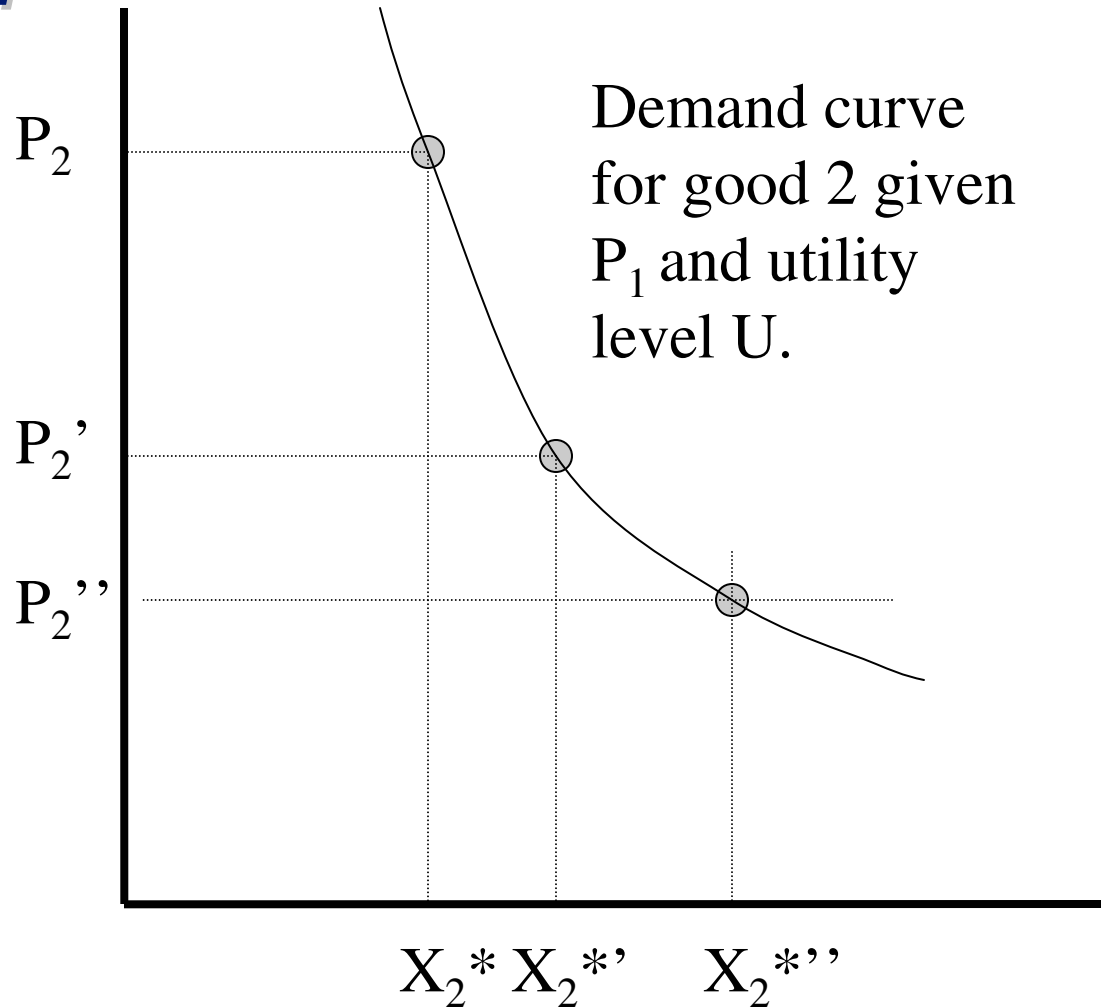


Compensated Demand Curve



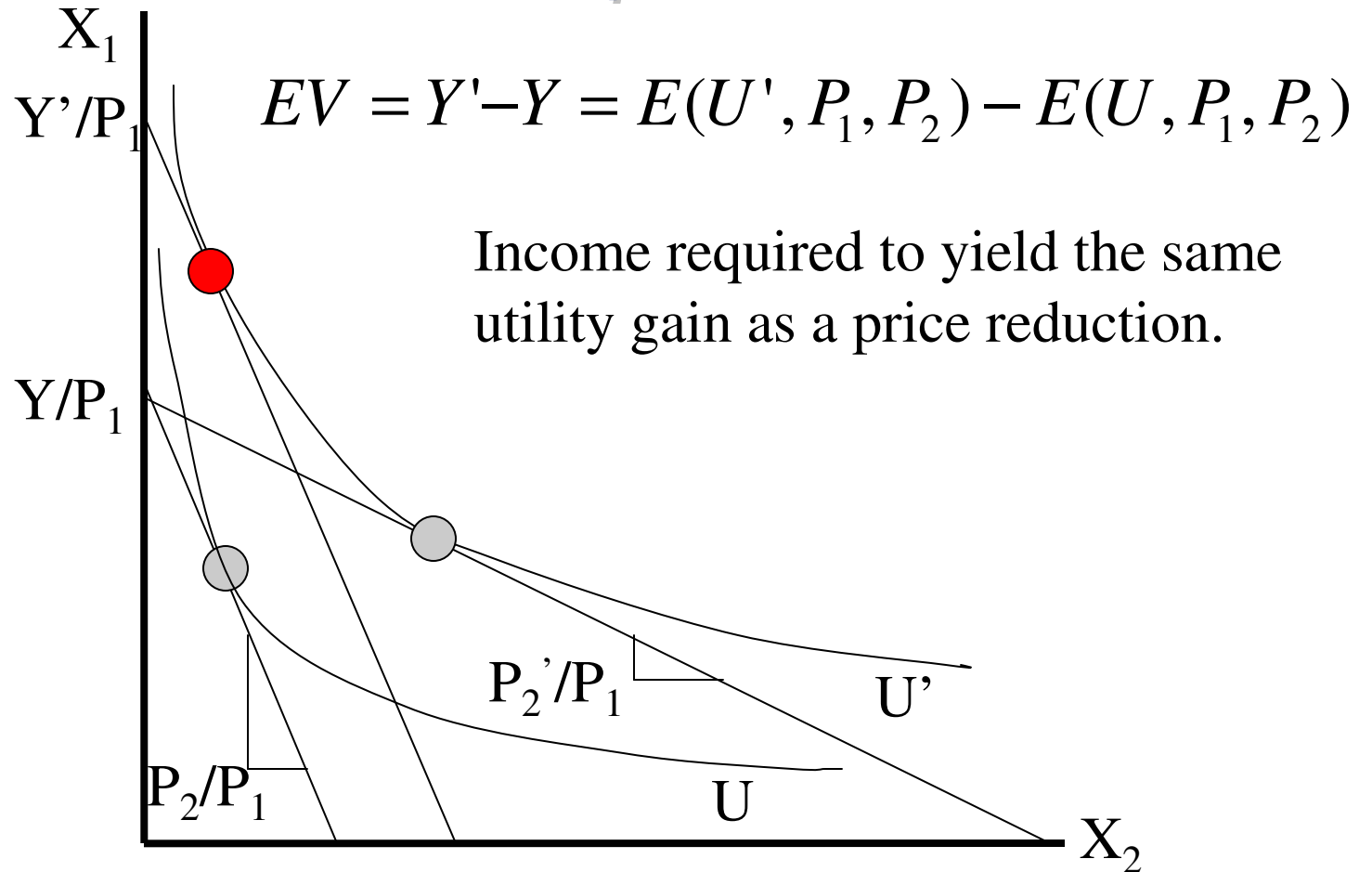


Compensated Demand Curve



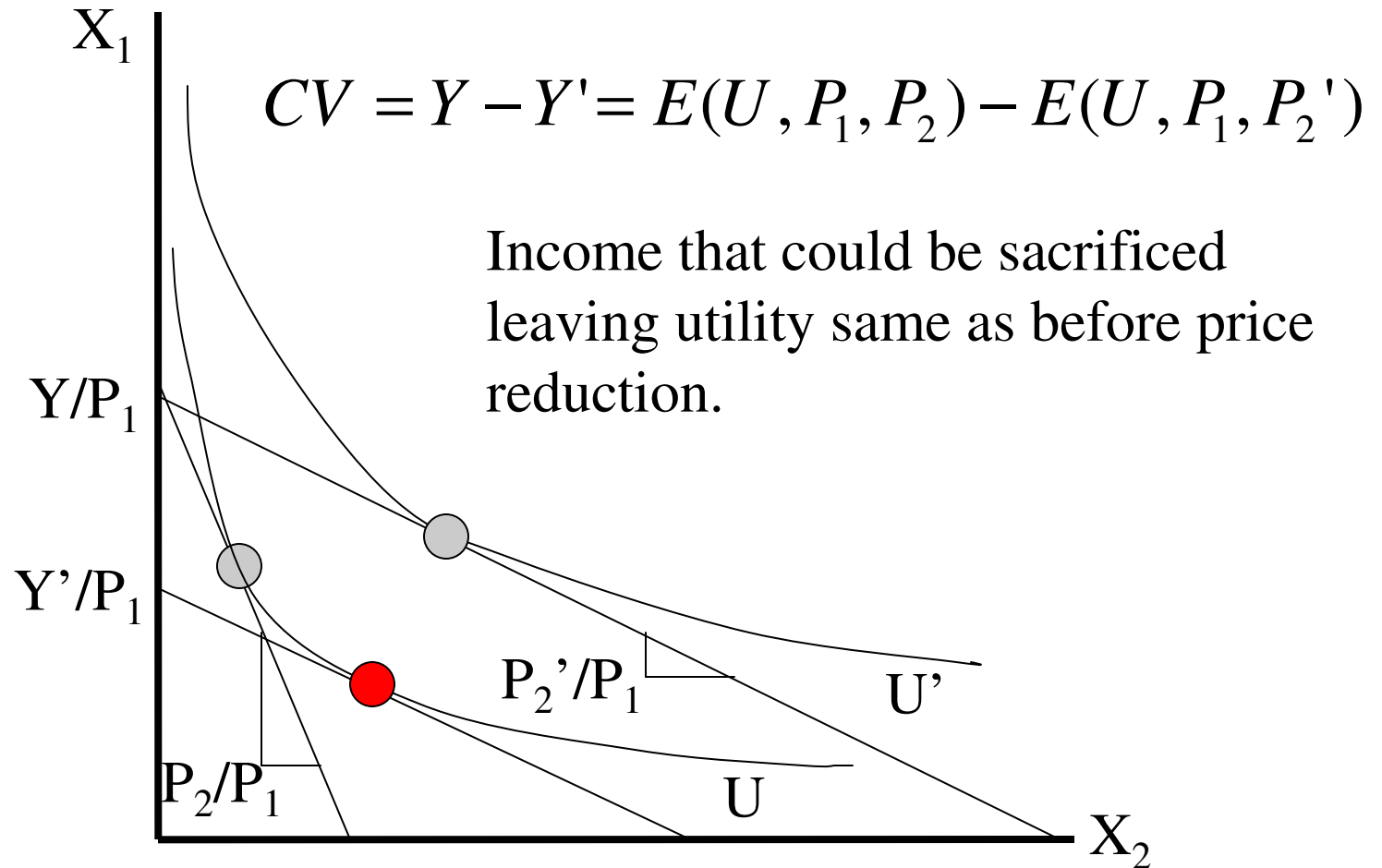


Welfare Measures--Equivalent Variation



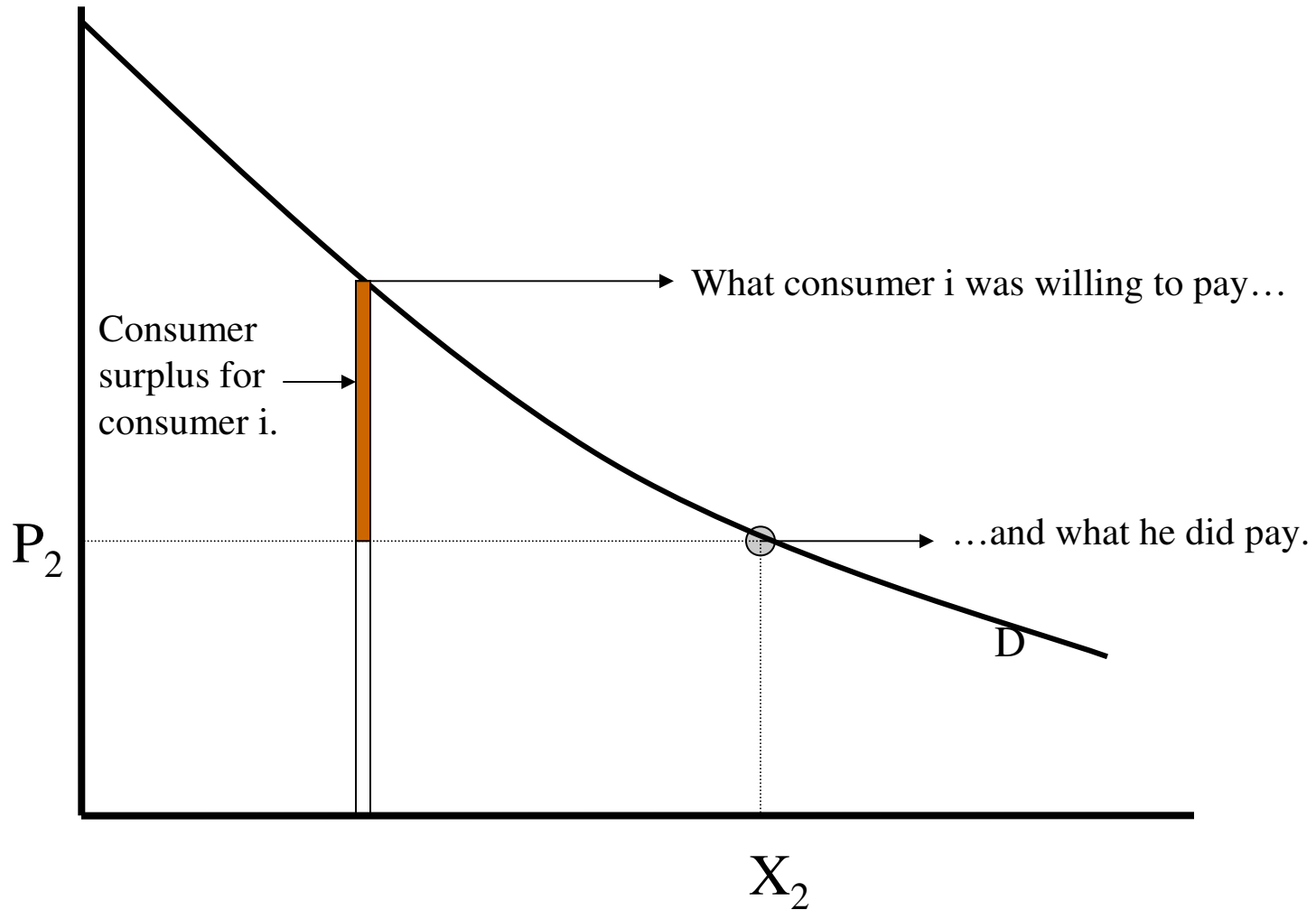


Welfare Measures--Compensating Variation





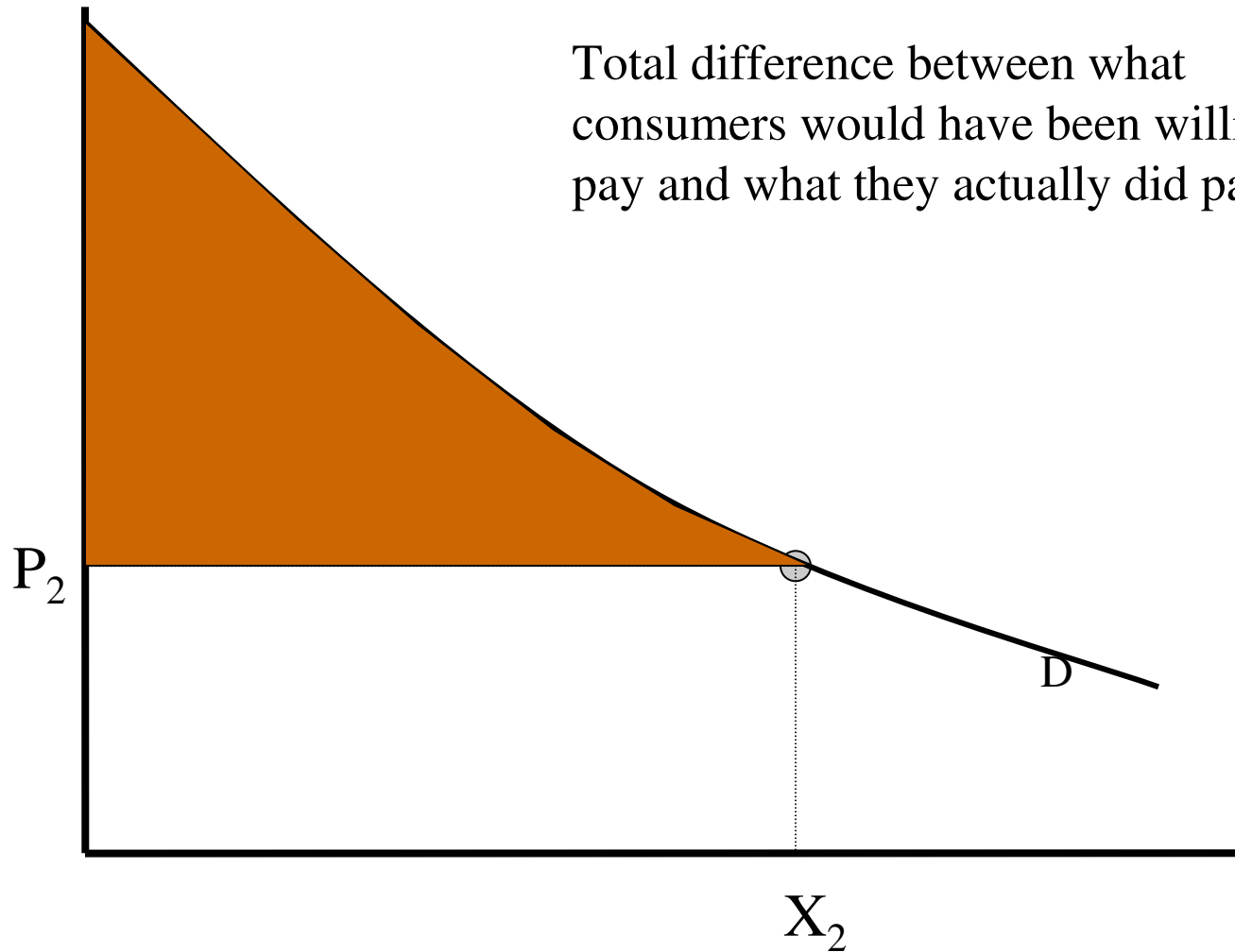
Consumer Surplus





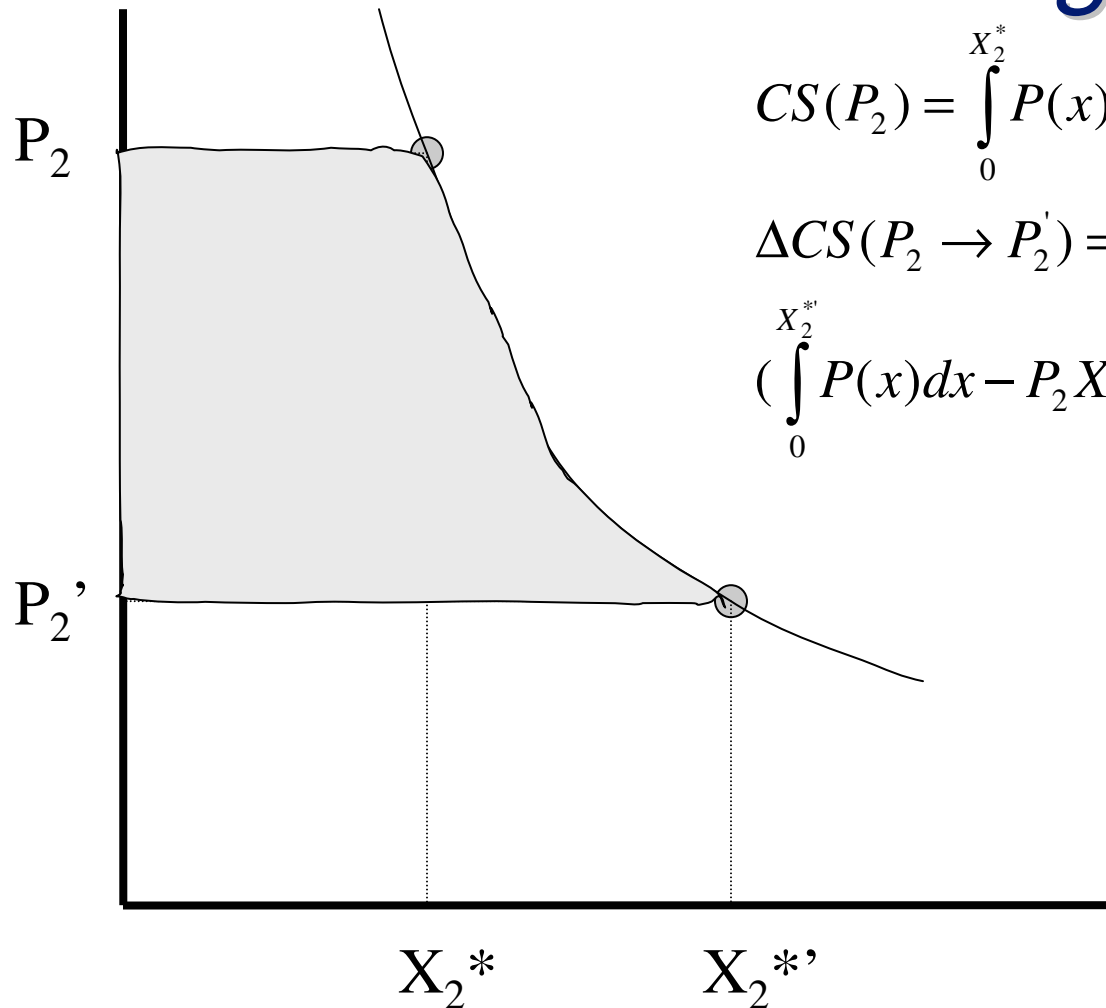
Consumer Surplus

Total difference between what consumers would have been willing to pay and what they actually did pay.





Change in Consumer Surplus from a Price Change



$$CS(P_2) = \int_0^{X_2^*} P(x)dx - P_2 X_2^*$$

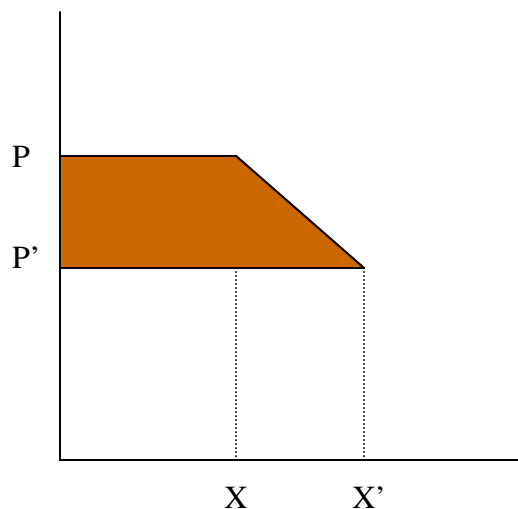
$$\Delta CS(P_2 \rightarrow P_2') =$$

$$\left(\int_0^{X_2^{*'}} P(x)dx - P_2 X_2^{*'} \right) - \left(\int_0^{X_2^*} P(x)dx - P_2 X_2^* \right)$$



Rule of 1/2

- If price changes are moderate, then demand curve can be approximated as straight line between old price and new price.
- Then $\Delta CS(P \rightarrow P') = (P - P')(X + X') / 2$





CS, EV, and CV

- ❑ Equivalent variation is CS using compensated demand curve at higher utility level
- ❑ Compensating variation is CS using compensated demand curve at lower utility level
- ❑ CS based on uncompensated demand curve is between EV and CV



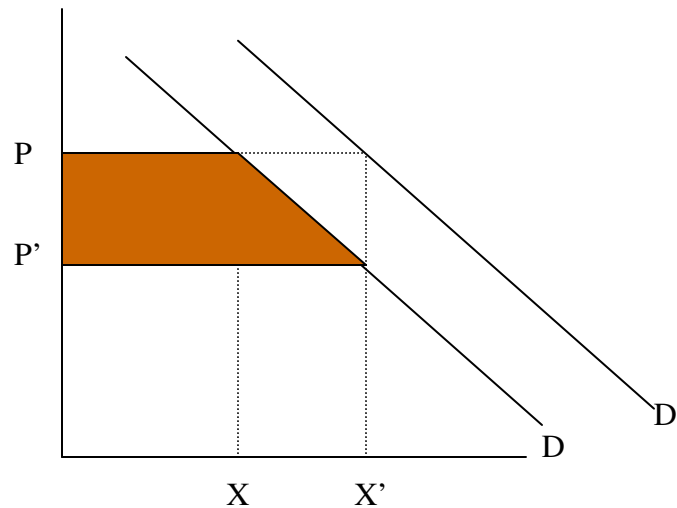
Implicit Price Changes

- ❑ Change in service level can shift demand curve up or down
- ❑ Estimate price change that would produce the same shift
- ❑ Estimate benefits from change in service level as equivalent to from this price change



Implicit Price Change

Shift in demand from D to D' as a result of service improvement has same benefit as reduction in price from P to P' on original demand curve.





Air Travel Demand Price Elasticities

- ❑ Sensitivity of demand curve to price
- ❑ Dimensionless and thus insensitive to units in which price and demand are measured
- ❑ Assume “all else equal” including incomes, service quality, and other prices

- ❑ Two types

- ❑ Arc Elasticities $\eta_{arc} = \frac{\Delta Q}{\Delta P} \cdot \frac{\bar{p}}{\bar{q}}$

- ❑ Point Elasticities $\eta_{point} = \frac{\partial Q}{\partial P} \cdot \frac{p}{q}$



Summary of Elasticity Estimates

Category	Number	Median	First Quart.	Third Quart.
All	274	-1.15	-1.52	-0.68
Long-haul	105	-0.95	-1.43	-0.50
Short/Med. Haul	124	-1.15	-1.54	-0.73
Long-haul Inter.	69	-0.79	-1.40	-0.35
Long-haul Dom.	41	-1.34	-1.55	-0.85
Long-haul Inter. Bus.	16	-0.26	-0.48	-0.20
Long-haul Inter. Leis.	55	-0.99	-1.65	-0.54
Long-haul Dom. Bus.	26	-1.15	-1.43	-0.84
Long-haul Dom. Leis.	9	-1.26	-2.03	-1.09
Short-haul Bus.	18	-0.73	-0.80	-0.61
Short-haul Leis.	19	-1.52	-1.74	-0.88
Cross-section	85	-1.33	-1.52	-0.81
Time Series	156	-1.02	-1.46	-0.50
Income	132	1.39	0.84	2.17



Application: Benefits of Hubbing to Hub Regions

- ❑ Hansen (1998) estimates that local traffic has as an elasticity of 0.3 with respect to the hub traffic multiplier (total traffic/local traffic)
- ❑ Suppose hub region has originating traffic of 4 million and total traffic of 10 million (multiplier is 2.5)
- ❑ Assuming constant elasticity, this means that without hubbing, local traffic would be:

$$Q_{nohub} = 4 \cdot (1/2.5)^{0.3} = 3$$



Application (cont.)

- ❑ Suppose average fare per origination is \$200
- ❑ Using fare elasticity of -1, the fare would have to increase to \$267 cause traffic to go from 4 million to 3 million
- ❑ By rule of $\frac{1}{2}$, benefit from hubbing is:
 $\$67 \times (4 \text{ million} + 3 \text{ million}) / 2 = \234 million



Why Do Airlines Hub?

- ❑ Logistics Perspective
 - ❑ Link Economies of Scale
 - ❑ Economies of Stage Length
 - ❑ Economies of Integration
- ❑ Economics Perspective
 - ❑ Competitive Strategy
 - ❑ Structure-Conduct-Performance Paradigm



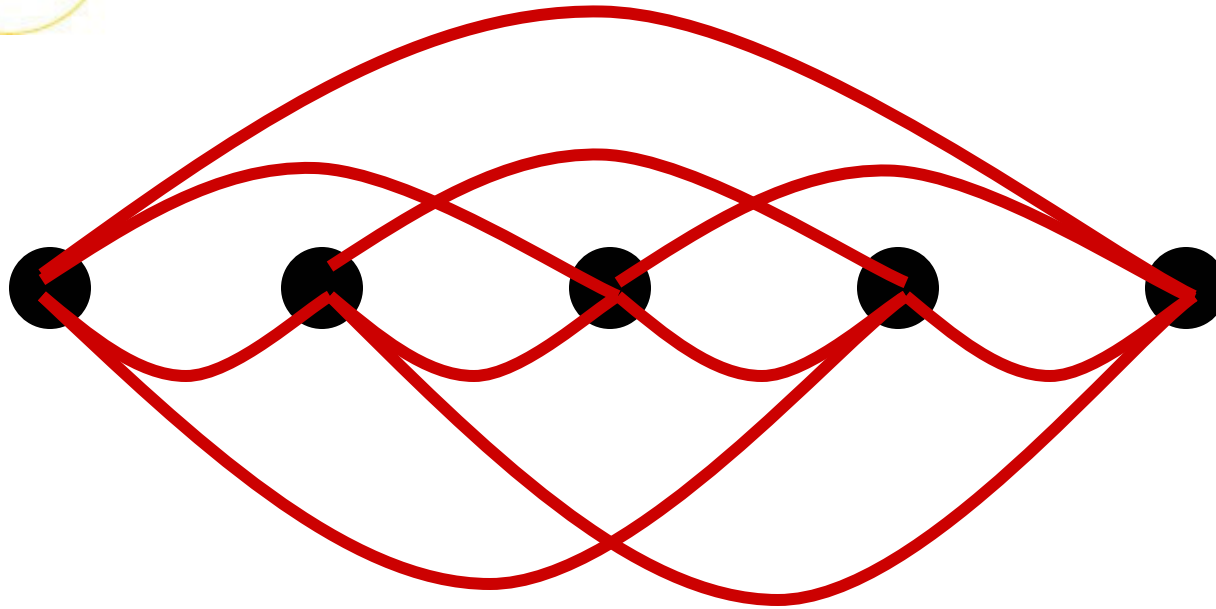
Link Economies of Scale

- Elements of total logistics cost (TLC) for airline service
 - Aircraft operation
 - Passenger travel time
 - Schedule delay
 - Stochastic delay
- Accommodating increased flow on a link
 - Increase load factor
 - Increase frequency
 - Increase aircraft size

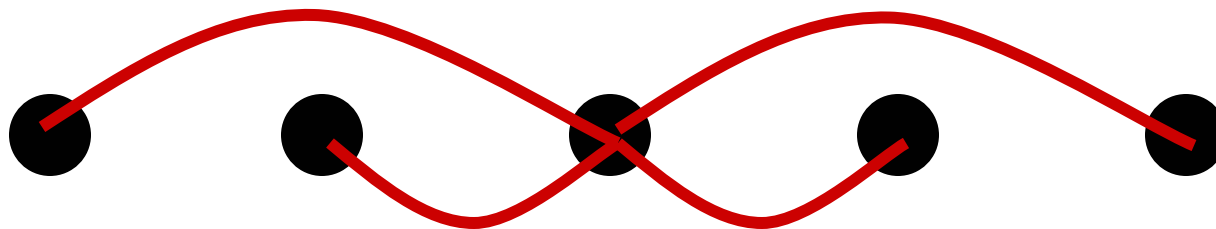


Link Economies of Scale

- Increase load factor
 - Unit operation cost decreases
 - Stochastic delay increases after a certain point
- Increase frequency
 - Schedule delay decreases
 - Stochastic delay decreases
- Increase aircraft size
 - Unit operation cost may increase or decrease
 - Stochastic delay decreases (for given load factor)
- It is generally possible to accommodate increased flow in a manner that decreases unit TLC



becomes

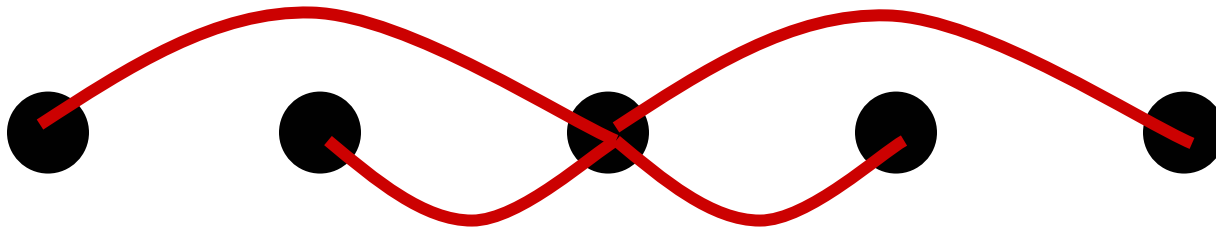


or





Implications of ESL



Is more efficient than





Economies of Integration

- ❑ One-airline itineraries better than two-airline itineraries
 - ❑ Transaction costs
 - ❑ Connection costs
 - ❑ Consumer confidence



Disaggregate Choice Models

- ❑ Model choices between discrete alternatives at individual level
- ❑ Assume choice behavior is utility maximizing
- ❑ Early applications in transportation, but now used (and abused) widely

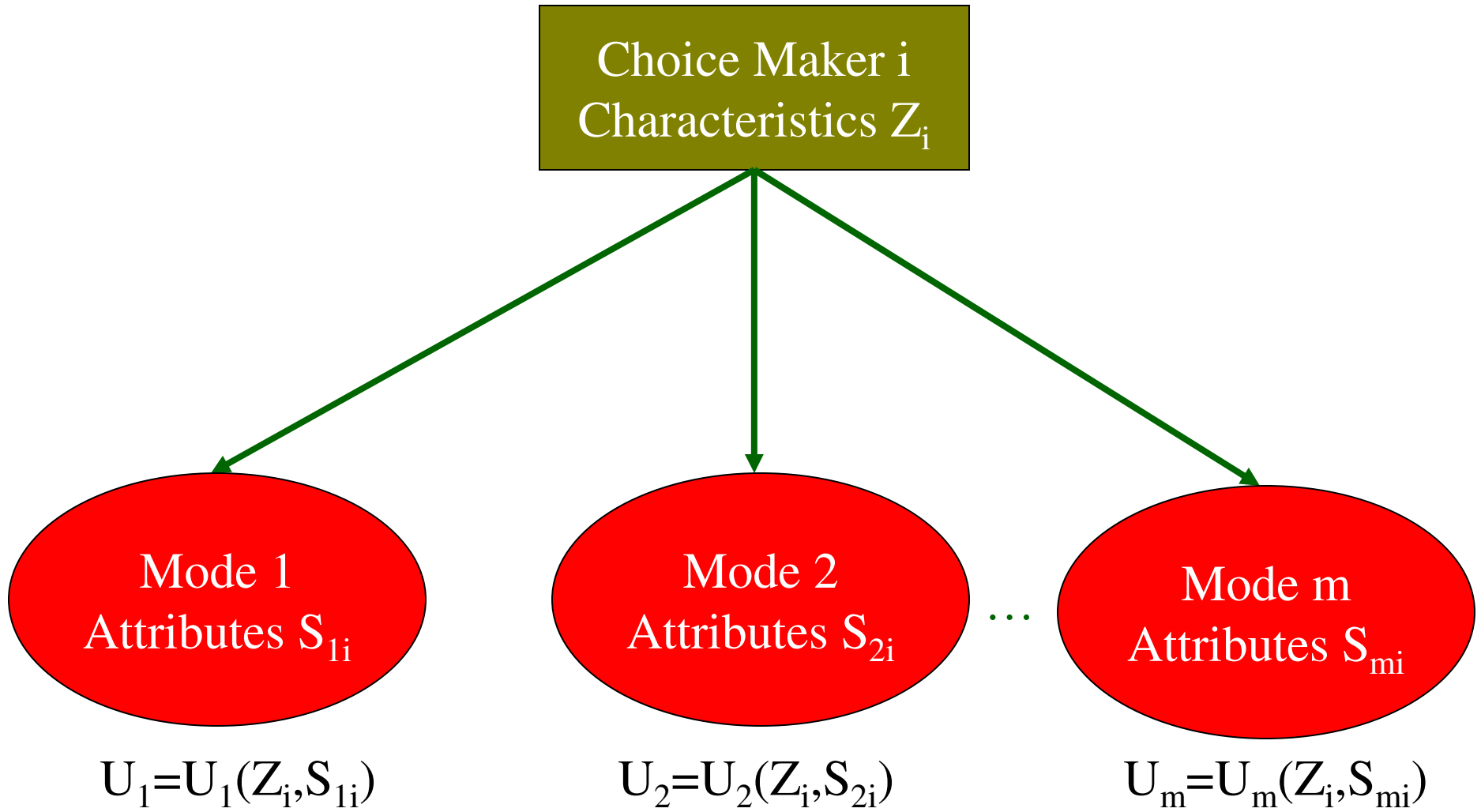


Utility-Based Approach

- ❑ Assumes that individuals make rational choices
- ❑ Basis for choice is maximization of *utility*--level of satisfaction the traveler attains
- ❑ Utility is function of attributes of alternative, characteristics of choice maker/choice context



Decision Tree





Aviation Choice Alternatives

- Routes
- Airline+Route
- Airline
- Airport
- Airport+Airline
- etc



Characteristics and Attributes

Traveler Characteristics

- Income
- Trip purpose
- Travel party size
- Frequent Flier Affiliation

Alternative Attributes

- Fare
- # of stops
- Circuitry
- Frequency
- Aircraft Size



Logit Model

- Utility=Deterministic Utility+Stochastic Utility

$$U_{im} = V_{im} + \varepsilon_{im}$$
$$= V_m(Z_i, S_{im}) + \varepsilon_{im}$$

- Where ε_{im} 's
 - are independently, identically distributed
 - have a Gumbel distribution:

$$P(\varepsilon_{im} < w) = \exp(-e^{-w})$$



With these Assumptions:

$$P(U_{im} = \max(U_{i1} \dots U_{in}) | V_{i1} \dots V_{in}) = \frac{\exp(V_{im})}{\sum_j \exp(V_{ij})}$$

$$P(i' \text{ s choice} = m | V_{i1} \dots V_{in}) = \frac{\exp(V_{im})}{\sum_j \exp(V_{ij})}$$



Route Choice Model

Table 1. Route choice model regression results

Independent Variable (Parameter)	Estimated Value	Standard Error
ln(direct frequency) (ϕ_0)	1.29	0.17
ln(maximum hub frequency) (ϕ_1)	0.33	0.14
ln(minimum hub frequency) (ϕ_2)	0.78	0.10
direct service utility (V_{dir})	2.72	0.81
fare in \$ (α)	-0.0045	0.0010
circuitry in miles (σ)	-0.0029	0.00026

$R^2 = 0.74$

Number of Observations = 271

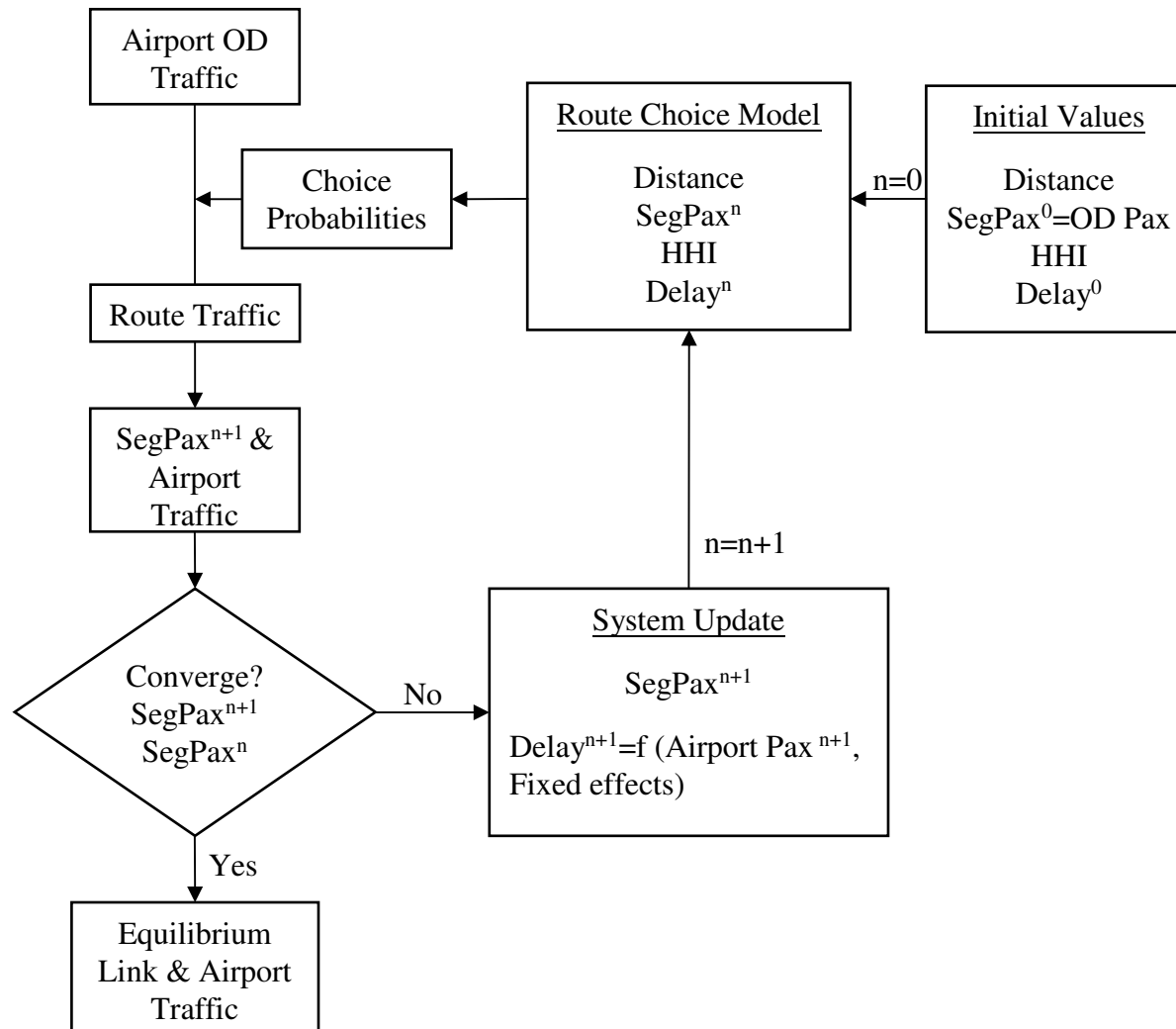


NAS Equilibrium Flow Model

- ❑ Given the OD traffic predict equilibrium
 - ❑ Segment and airport pax flows
 - ❑ Airport delays
- ❑ Assess how equilibrium affected by increase in ORD capacity



Equilibrium Flow Model





Hub Choice Model

- ❑ Allocates OD Traffic to Segment Traffic—
Route (hub) Choice
- ❑ Nested Logit Model
 - ❑ Direct or one-stop connecting
 - ❑ Conditioned on connecting, choose the connecting airport(hub)
- ❑ Specification

$$V_{direct} = c_0 + b_{01} distD_{od} + b_{02} \ln(paxD_{od}) + b_{03} HHI_{od}$$

$$V_{od,i} = b_1 distC_{o-i-d} + b_2 \ln(\max pax_{oi/di}) + b_3 \ln(\min pax_{oi/di}) + b_4 Delay_i$$



Model Estimation

Associated Factor	Estimate Parameter	Standard Error (*10 ⁻⁵)	P-value
Dist. of Connect	-2.931	9.159	[.000]
ln(Max Pax of Connect)	0.278	2.267	[.000]
ln(Min Pax of Connect)	0.821	2.250	[.000]
Delay of Connect	-0.006	0.057	[.000]
β , 1/(inclusive value)	1.121	2.658	[.000]
Constant of Direct	4.624	30.707	[.000]
Dist. of Direct	-3.160	8.497	[.000]
ln(Seg. Pax of Direct)	1.033	1.326	[.000]
HHI of Direct	-0.435	4.522	[.000]

$$\hat{\rho}^2 = 0.5559$$

N=39,298,503 (100,951 routes)



Policy Experiment— ORD Delay Improvement

- Delay:

$$\ln(\text{Delay}_{it}) = \alpha_0 + \sum_{i=1}^{30} \alpha_i * C_i + \beta_1 * \ln(\text{Pax}_{it}) + \varepsilon_{it}$$

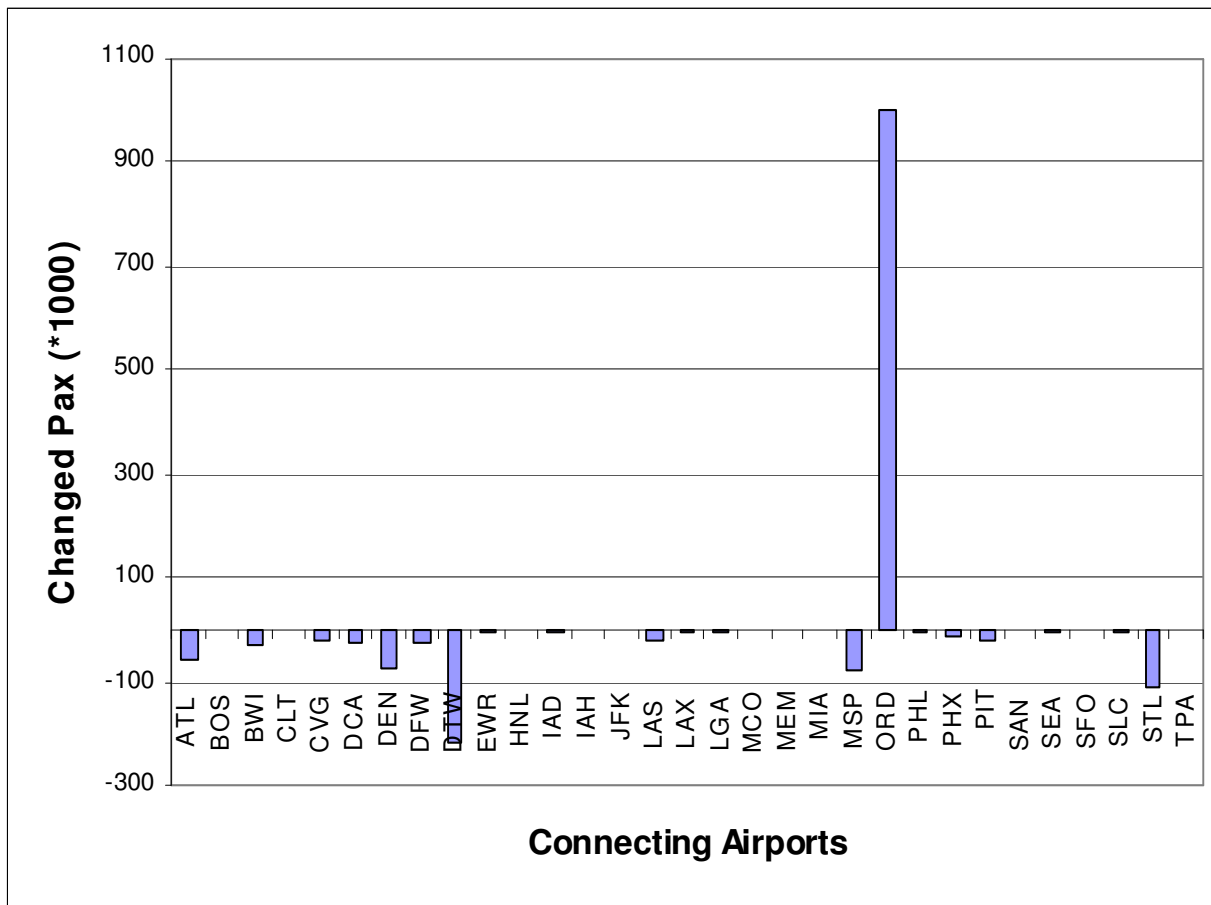
- Airport fixed delay effect improved:

$$\alpha_{ORD} = 1.8846 \quad \rightarrow$$

$$\alpha'_{ORD} = \alpha_{ATL} = 1.4923$$



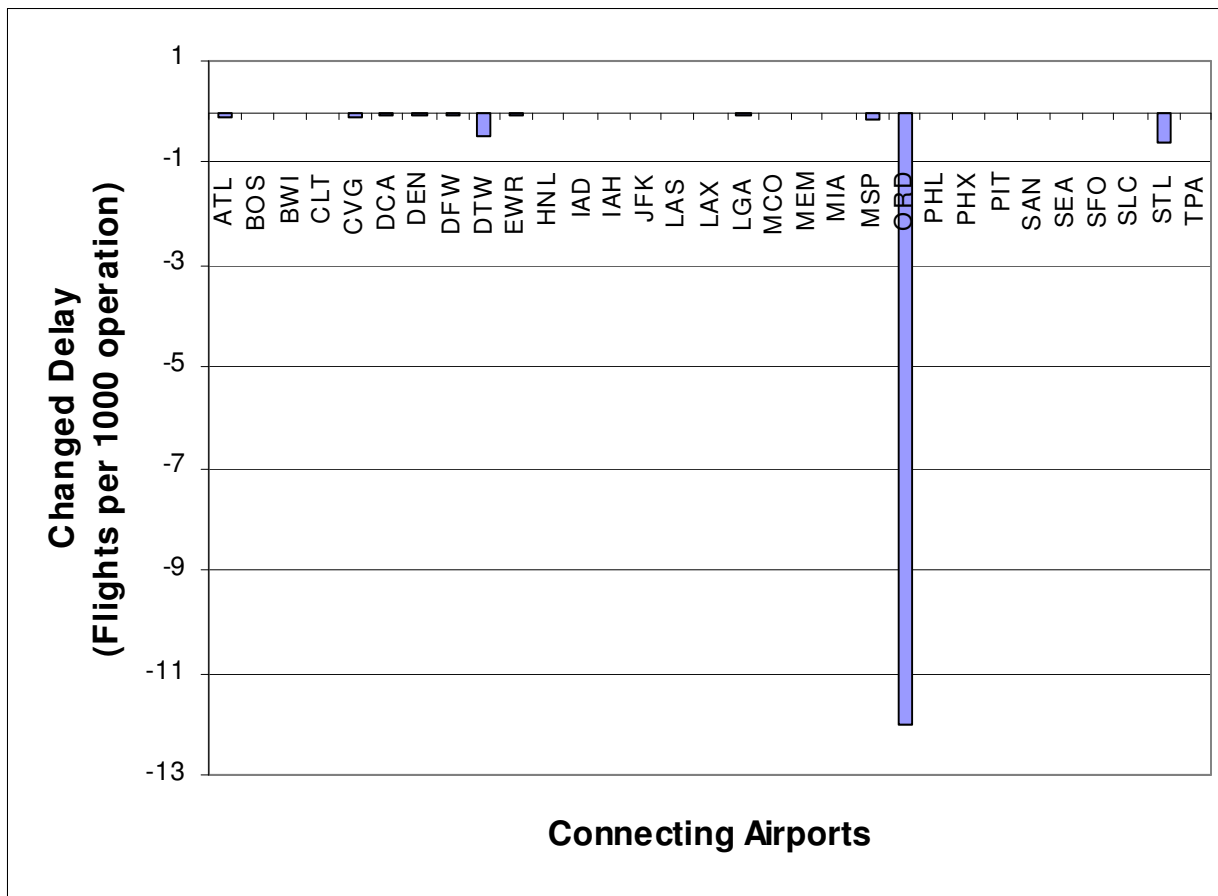
Policy Experiment— New Equilibrium Flows



- ORD: +998,014
- Other hubs: -728,603
- Net effect on the system: +269,410
- ORD attracts:
 - 3/4 from competing hubs
 - 1/4 from “direct” routes



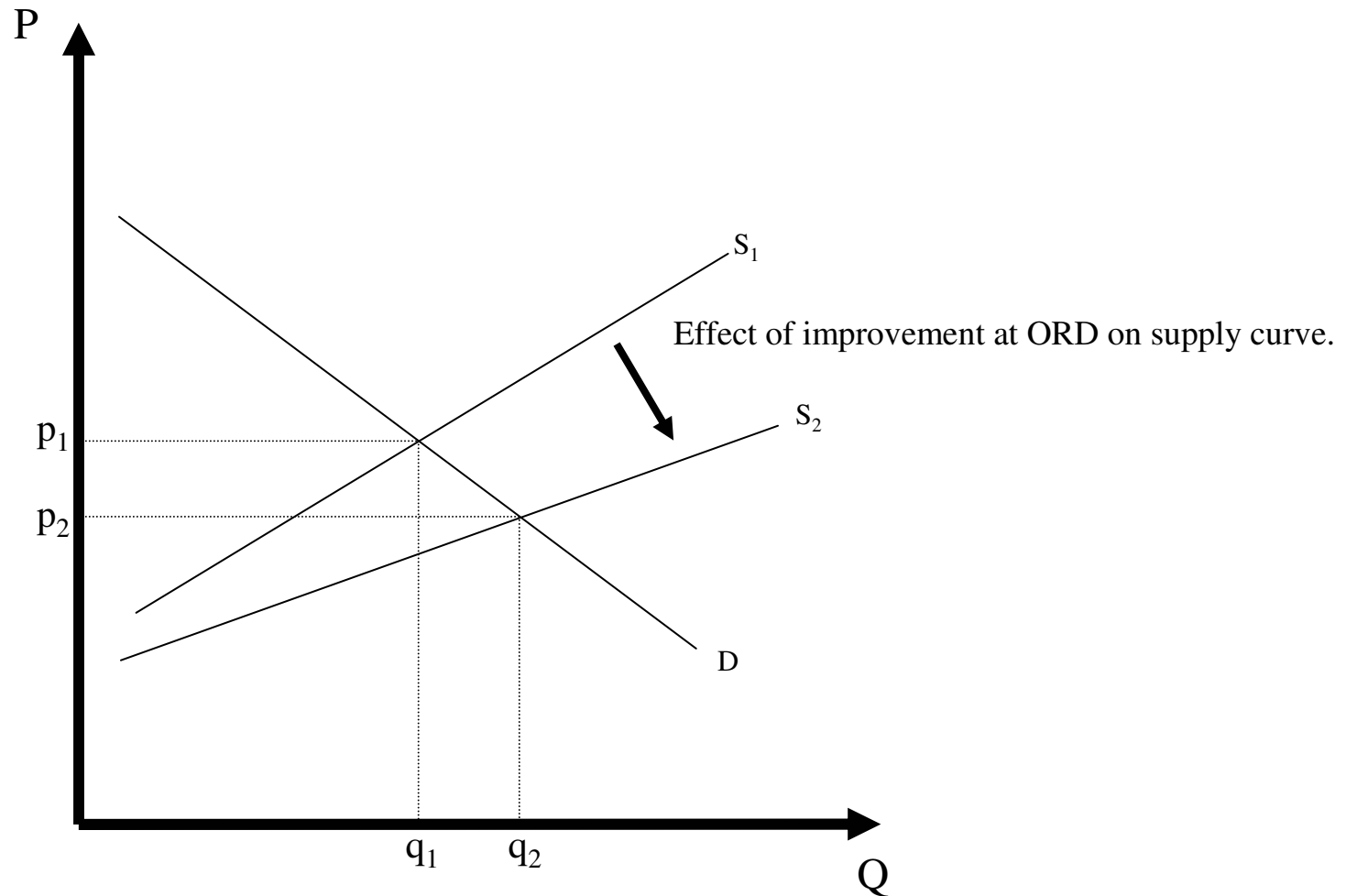
Policy Experiment— New Equilibrium Delays



- ❑ ORD delay: reduce 12.0 (Flt/1000 Flt), about 27%
- ❑ Delays of other hubs also reduce

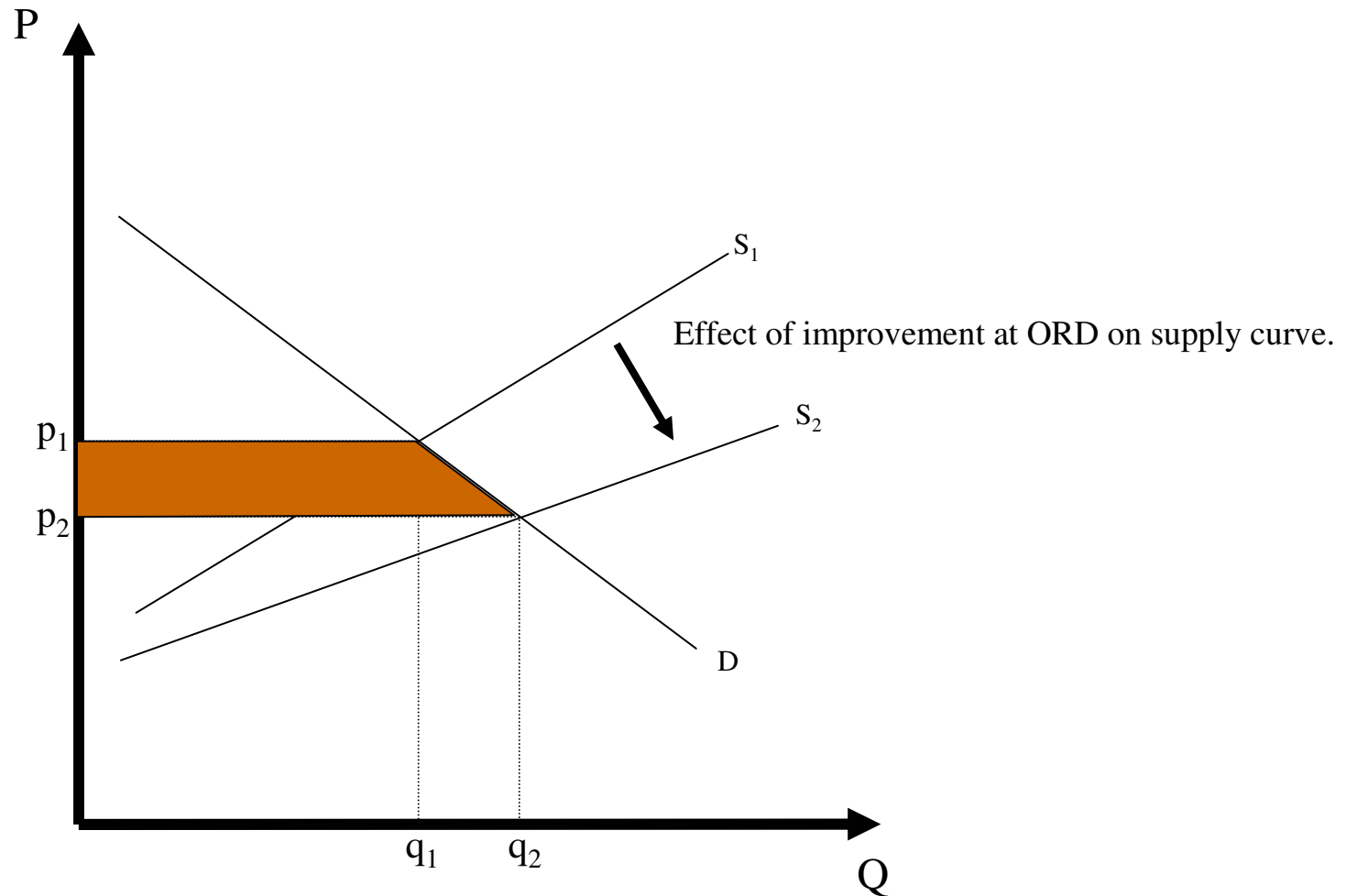


Depiction with Supply and Demand Curves



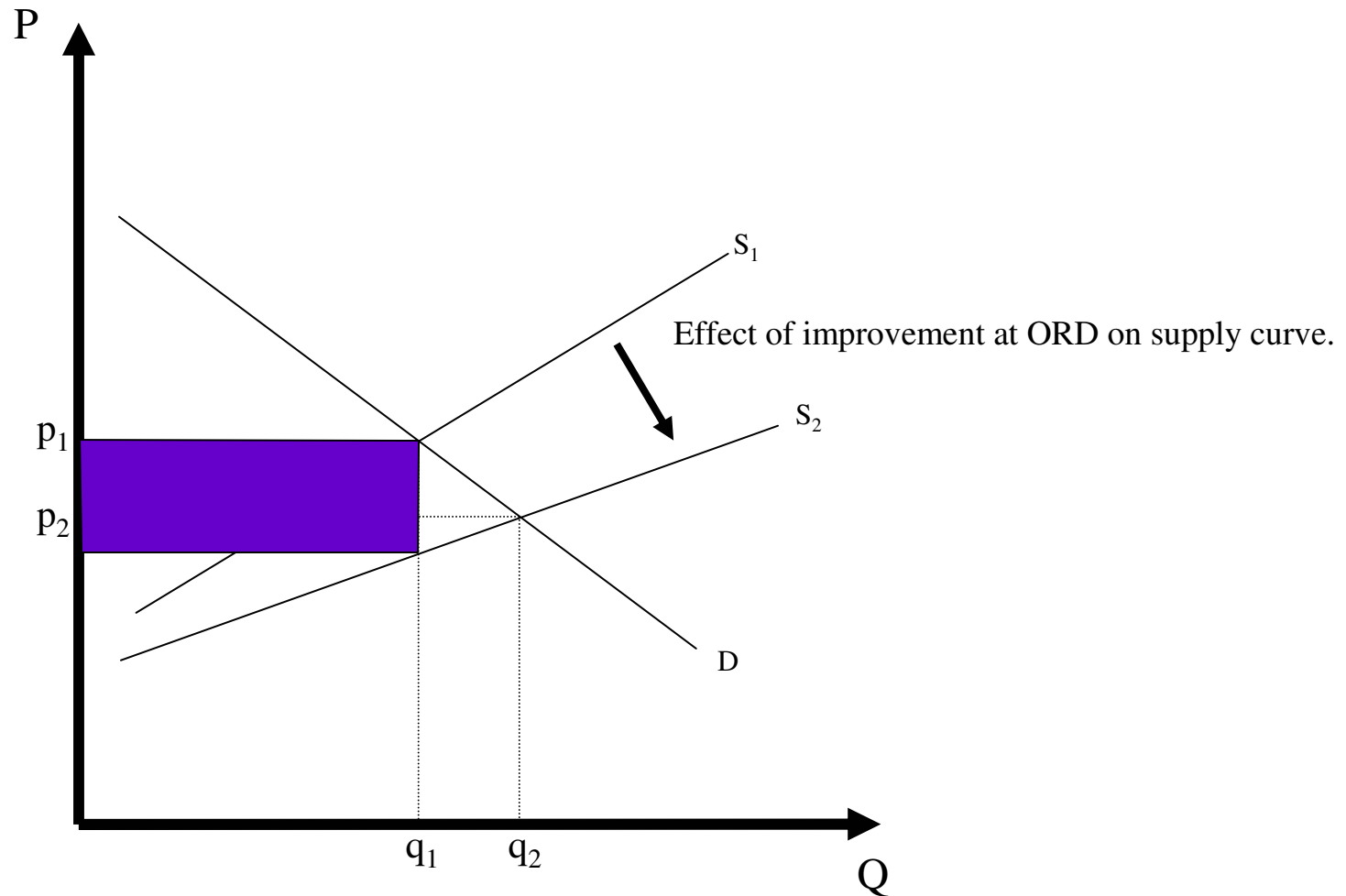


Benefit from Improvement



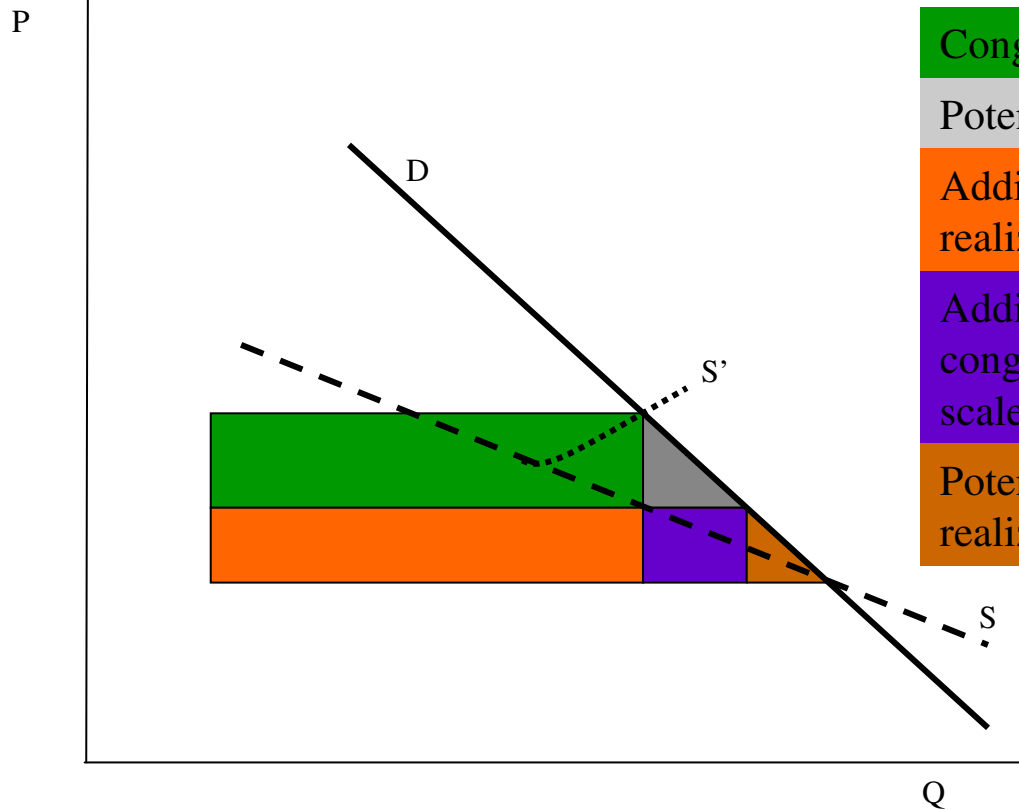


Benefit Assumed without Demand Response





Losses from Capacity Constraint: Five Easy Pieces



- Congestion costs to existing users.
- Potential users priced off system due to congestion.
- Additional losses to existing users from failure to realize economies of scale.
- Additional losses to users priced off as a result of congestion due to failure to realize economies of scale.
- Potential users priced off system due to failure to realize economies of scale.



Optimal Pricing and Investment

- ❑ Given
 - ❑ Inverse Demand Function— $P(Q)$
 - ❑ User Cost Function— $U(Q,K)$
 - ❑ Supplier Cost Function— $S(Q,K)$
- ❑ Find
 - ❑ Optimal Q and K
 - ❑ Optimal user charge



Objective Function

- Total user's willingness to pay $\int_0^Q P(q) dq$
- Total User Cost: $-Q \cdot U(Q, K)$
- Total Supplier Cost: $-Q \cdot S(Q, K)$



First Order Conditions

$$Z(Q, K) = \int_0^Q P(q) dq - Q \cdot U(Q, K) - Q \cdot S(Q, K)$$

$$\frac{\partial Z}{\partial Q} = P(Q) - Q \cdot \frac{\partial U}{\partial Q} - U(Q, K) - Q \cdot \frac{\partial S}{\partial Q} - S(Q, K) = 0$$

$$\frac{\partial Z}{\partial K} = -Q \cdot \left(\frac{\partial U}{\partial K} + \frac{\partial S}{\partial K} \right) = 0$$

- The user with the least willingness to pay should be willing to pay the cost his use will impose on other users the supplier, as well as on himself.
- This implies a charge of: $Q \cdot \frac{\partial U}{\partial Q} + Q \cdot \frac{\partial S}{\partial Q} + S(Q, K)$
- The savings in user cost from the marginal investment should just offset the increase in supplier cost.



Special Case

$$U(Q, K) = U_0 \left(1 + \left(\frac{Q}{K}\right)^2\right)$$

$$S(Q, K) = a + b \frac{K}{Q}$$

$$P(Q) - U_0 \left(1 + \left(\frac{Q}{K}\right)^2\right) - \frac{2Q^2U_0}{K} - a = 0 \Rightarrow \text{Charge} = \frac{2Q^2U_0}{K} - a$$

$$\frac{\partial Z}{\partial K} = \left(\frac{-2U_0Q^3}{K^3} + b\right) = 0 \Rightarrow K = \left(\frac{2U_0}{b}\right)^{1/3} Q$$